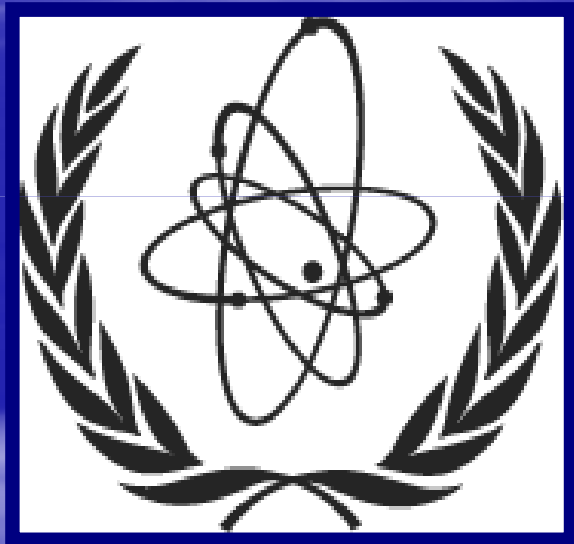


R IPL - **R**eference **I**ntput **P**arameter Library for calculation of nuclear reactions and nuclear data evaluations



Roberto Capote, Nuclear Data Section
International Atomic Energy Agency

RIPL Objective (1993)

Improve the methodology of nuclear data evaluation by increasing predictive power, accuracy and reliability of theoretical calculations by nuclear reaction model codes

1994 – 2009

The longest running IAEA/NDS project

Nuclear Data Sheets **110** (2009) 3107–3214

RIPL – Reference Input Parameter Library for Calculation of Nuclear Reactions and Nuclear Data Evaluations

R. Capote,¹ M. Herman,^{1,2} P. Obložinský,^{1,2} P.G. Young,³ S. Goriely,⁴ T. Belgia,⁵ A.V. Ignatyuk,⁶ A.J. Koning,⁷ S. Hilaire,⁸ V.A. Plujko,⁹ M. Avrigeanu,¹⁰ O. Bersillon,⁸ M.B. Chadwick,³ T. Fukahori,¹¹ Zhigang Ge,¹² Yinlu Han,¹² S. Kailas,¹³ J. Kopecky,¹⁴ V.M. Maslov,¹⁵ G. Reffo,¹⁶ M. Sin,¹⁷ E.Sh. Soukhovitskii,¹⁵ and P. Talou³



Acknowledgments

M. Avrigeanu
T. Belgya
O. Bersillon
R. Capote
M.B. Chadwick
T. Fukahori
S. Goriely
J. Kopecky
Yinlu Han
M. Herman
S. Hilaire
A.V. Ignatyuk
S. Kailas
A.J. Koning
P. Obložinský
V. A. Plujko
E. S. Soukhovitskii
P. Talou
P. G. Young
Zhigang Ge



TALYS & EMPIRE modeling codes



TALYS

Home	What is TALYS?	News
More about TALYS	TALYS is software for the simulation of nuclear reactions. Many state-of-the-art nuclear models are included to cover all main reaction mechanisms encountered in light particle-induced nuclear reactions. TALYS provides a complete description of all reaction channels and observables, and is user-friendly.	Download TALYS-1.2!
Download TALYS		The official TALYS-1.2 is now available.
Documentation	TALYS is a versatile tool to analyse basic microscopic experiments and to generate nuclear data for applications.	



Available online at www.sciencedirect.com



ScienceDirect

Nuclear Data Sheets 108 (2007) 2655–2715

Nuclear Data Sheets

www.elsevier.com/locate/nds

EMPIRE paper

EMPIRE: Nuclear Reaction Model Code System for Data Evaluation

M. Herman^{1,*}, R. Capote², B.V. Carlson³, P. Obložinský¹, M. Sin⁴, A. Trkov⁵, H. Wienke⁶, and V. Zerkin²

¹ National Nuclear Data Center, Brookhaven National Laboratory, Upton, NY 11973-5000, USA

² Nuclear Data Section, International Atomic Energy Agency, Wagramer Strasse, A-1400 Vienna, Austria

³ Departamento de Física, Instituto Tecnológico de Aeronáutica, 12228-900, SP, Sao José dos Campos, Brazil

⁴ Nuclear Physics Department, Bucharest University, P.O. Box MG-11, Bucharest-Magurele, Romania

⁵ Jozef Stefan Institute, Reactor Physics Division R-1, Jamova 39, 1000 Ljubljana, Slovenia and

⁶ Belgonucleaire, Dessel, B2480, Belgium



RIPL contents

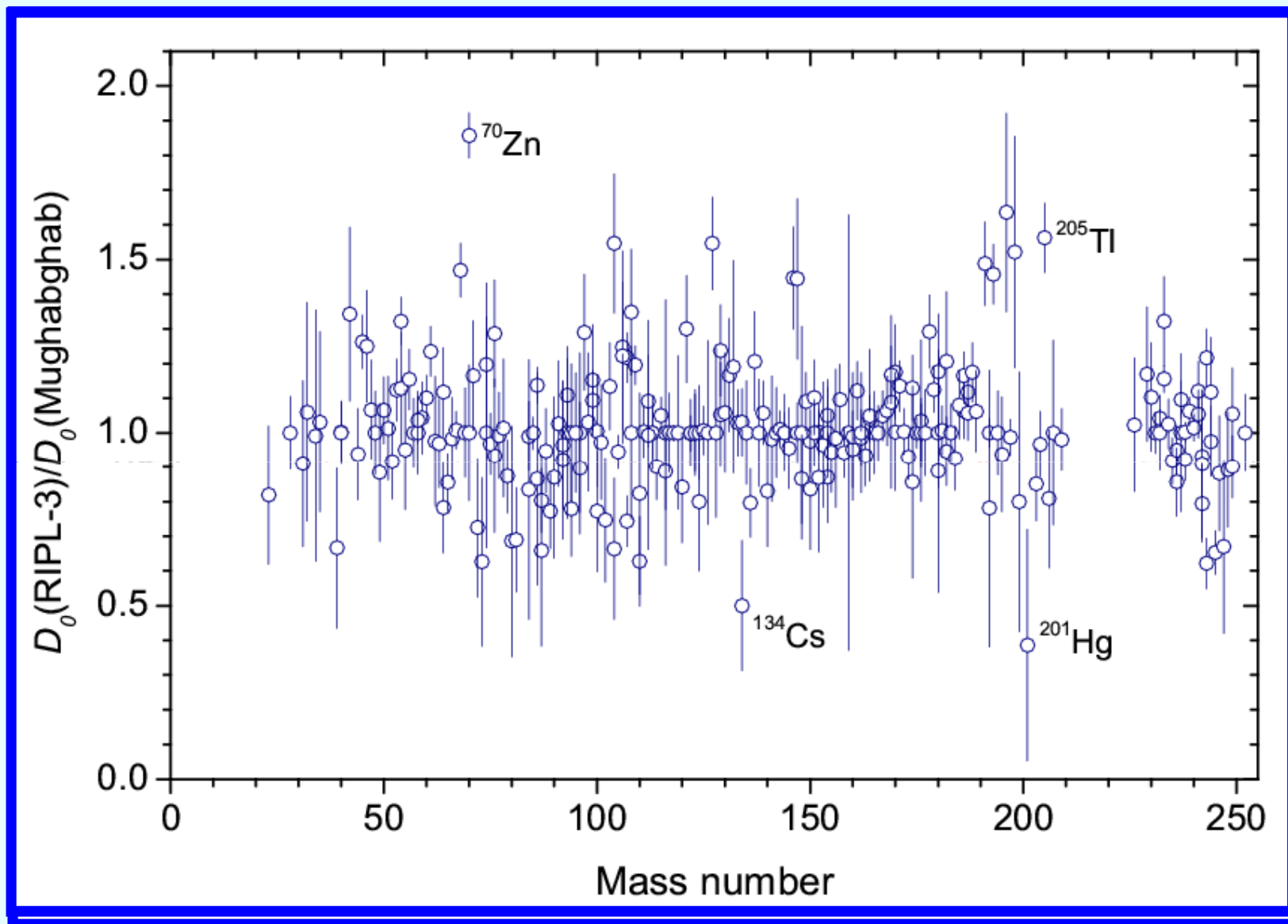
No	Directory	Contents
--	-----	-----
1	MASSES	Atomic Masses and Deformations
2	LEVELS	Discrete Level Schemes
3	RESONANCES	Average Neutron Resonance Parameters
4	OPTICAL	Optical Model Parameters
5	DENSITIES	Level Densities (Total, Partial)
6	GAMMA	Gamma-Ray Strength Functions
7	FISSION	Fission Barriers and Level Densities

~~<http://www-nds.iaea.org/RIPL-2/>~~

<http://www-nds.iaea.org/RIPL-3/>



3.- RESONANCES



5.- LEVEL DENSITIES

Based on OBSERVABLES:

RIPL-3 discrete levels (2) and Neutron resonances (3)

Provide **PHENOMENOLOGICAL** level density parameters for :

CTM: Constant Temperature Model (TALYS)

BFM: Back-shifted Fermi gas model (TALYS)

GSM: Generalized Superfluid Model

EGSM: Enhanced GSM (EMPIRE)

$$a \equiv a(E, Z, A) = \tilde{a}(A) \left\{ 1 + \frac{\delta W(Z, A)}{U} [1 - \exp(-\gamma U)] \right\},$$

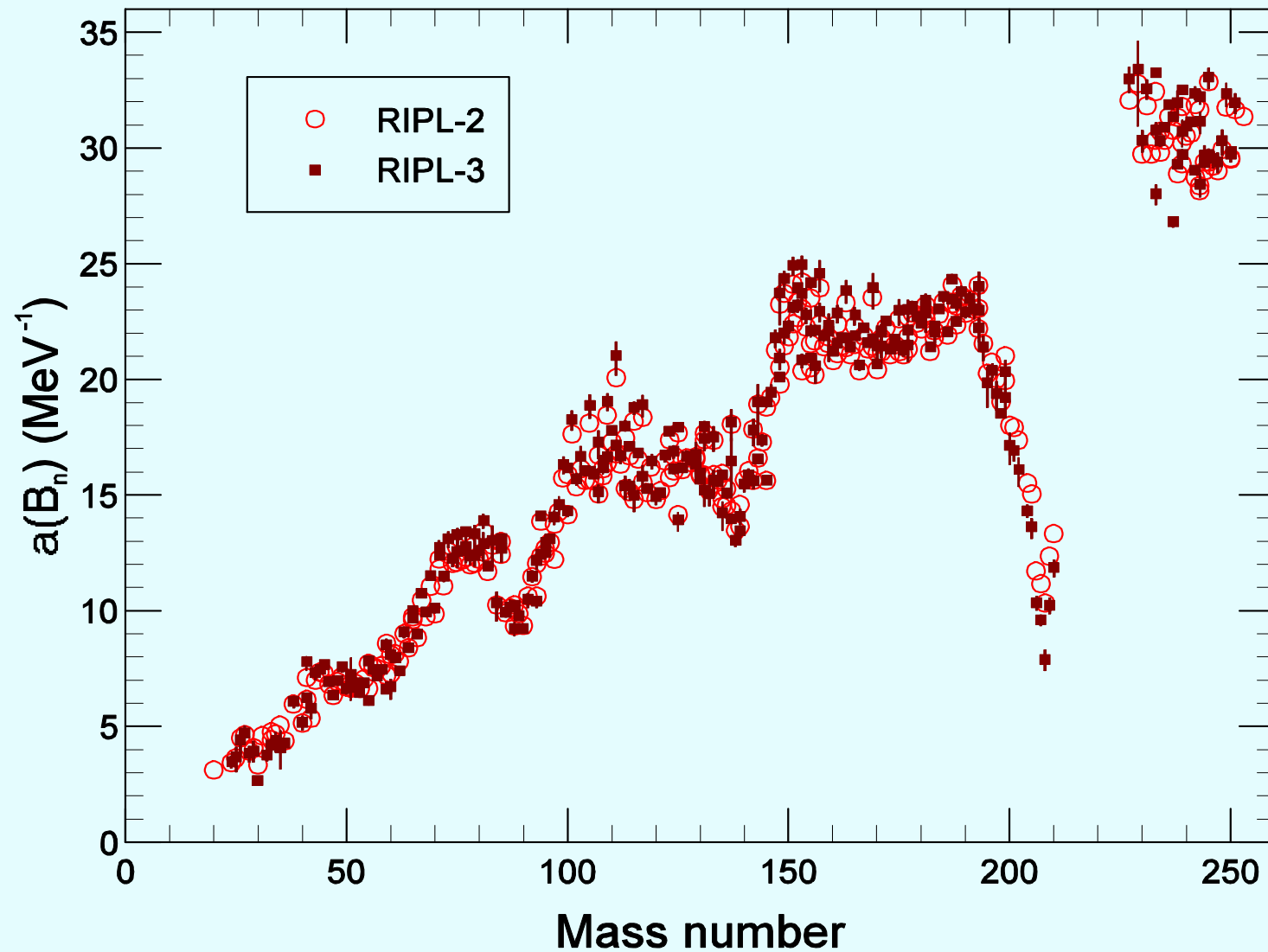
$$\tilde{a} = \alpha A + \beta A^{2/3},$$

$$\gamma = \frac{\gamma_0}{A^{1/3}}.$$

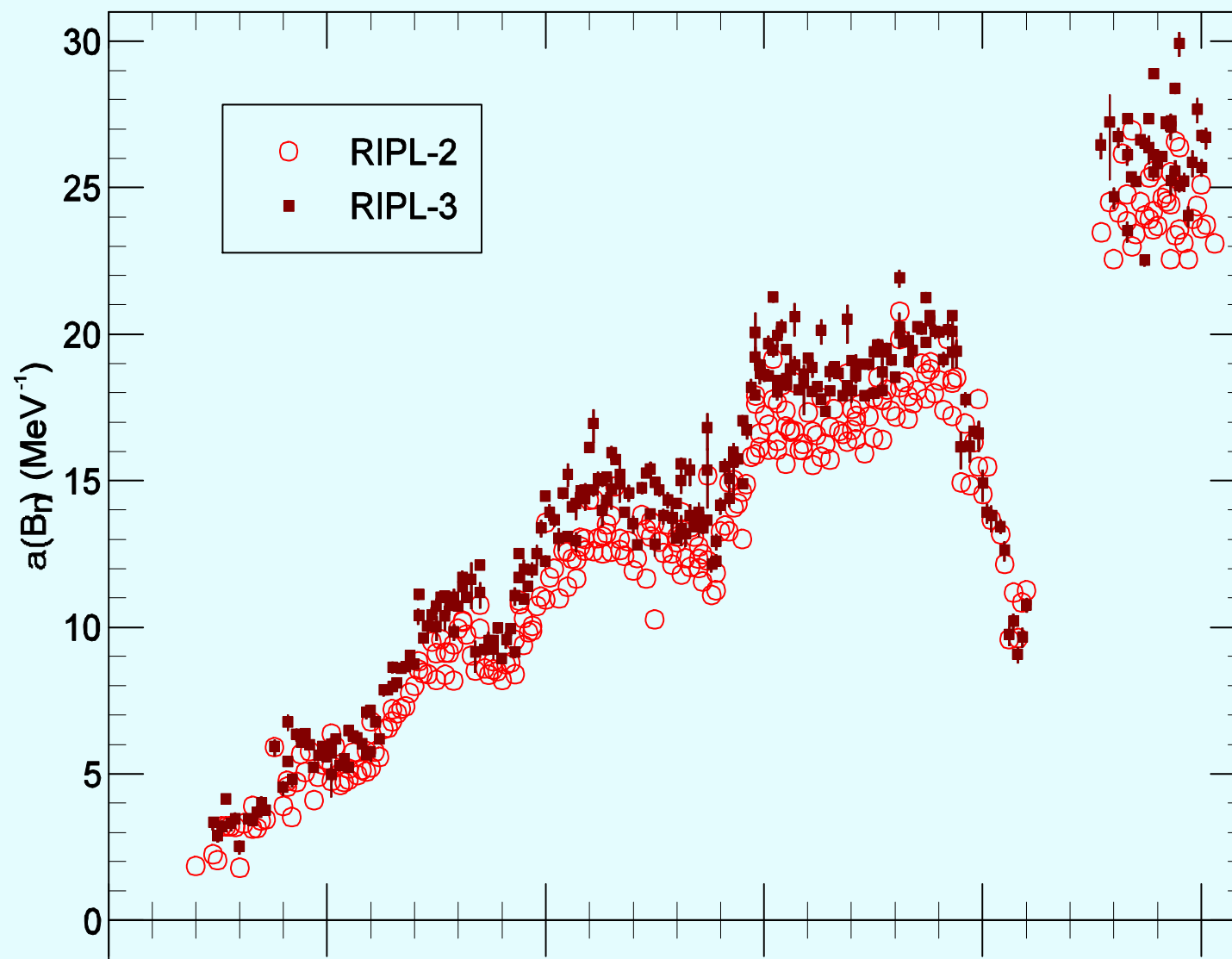
Statistical treatment, parity=1/2



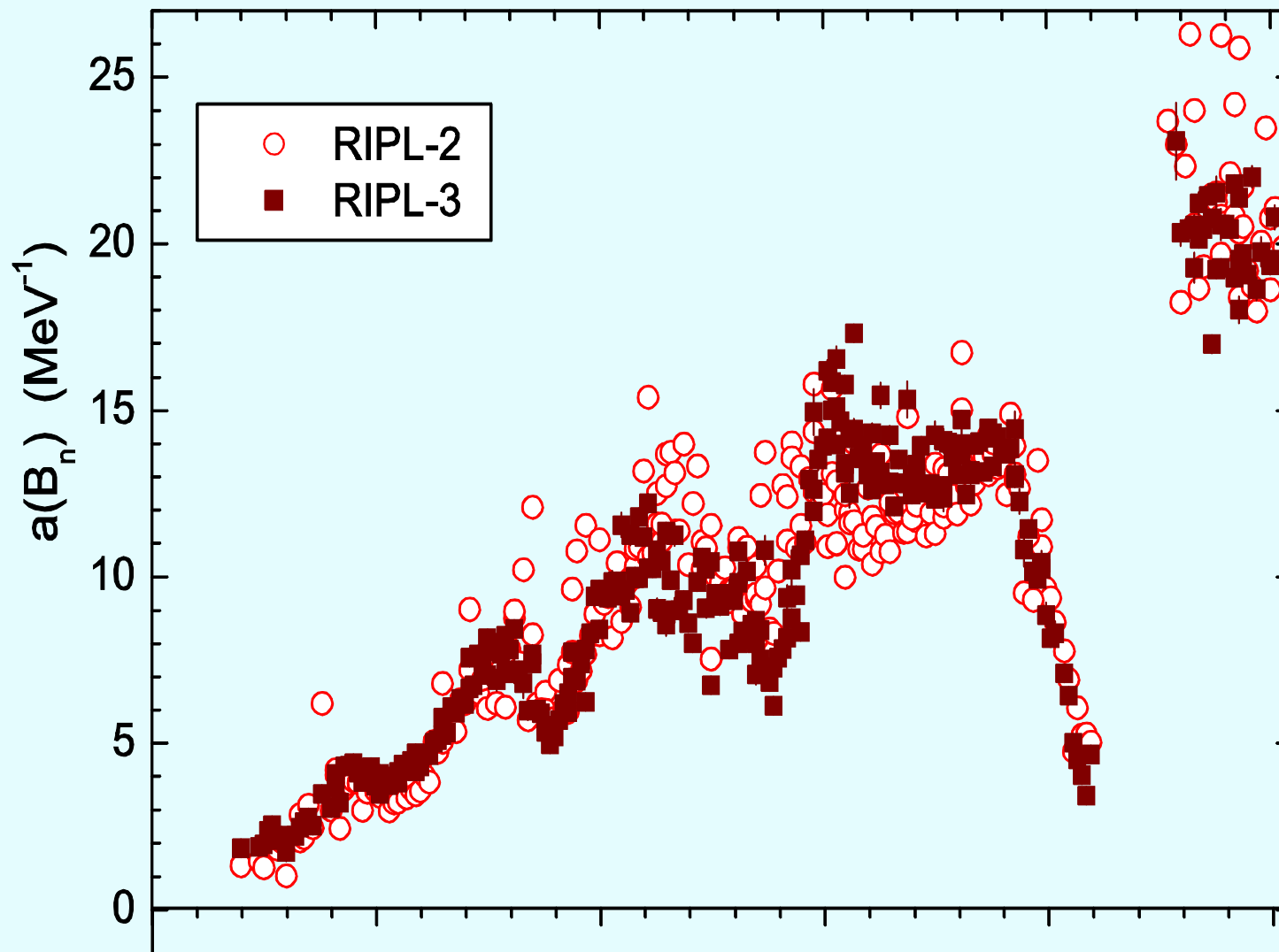
CTM (1)



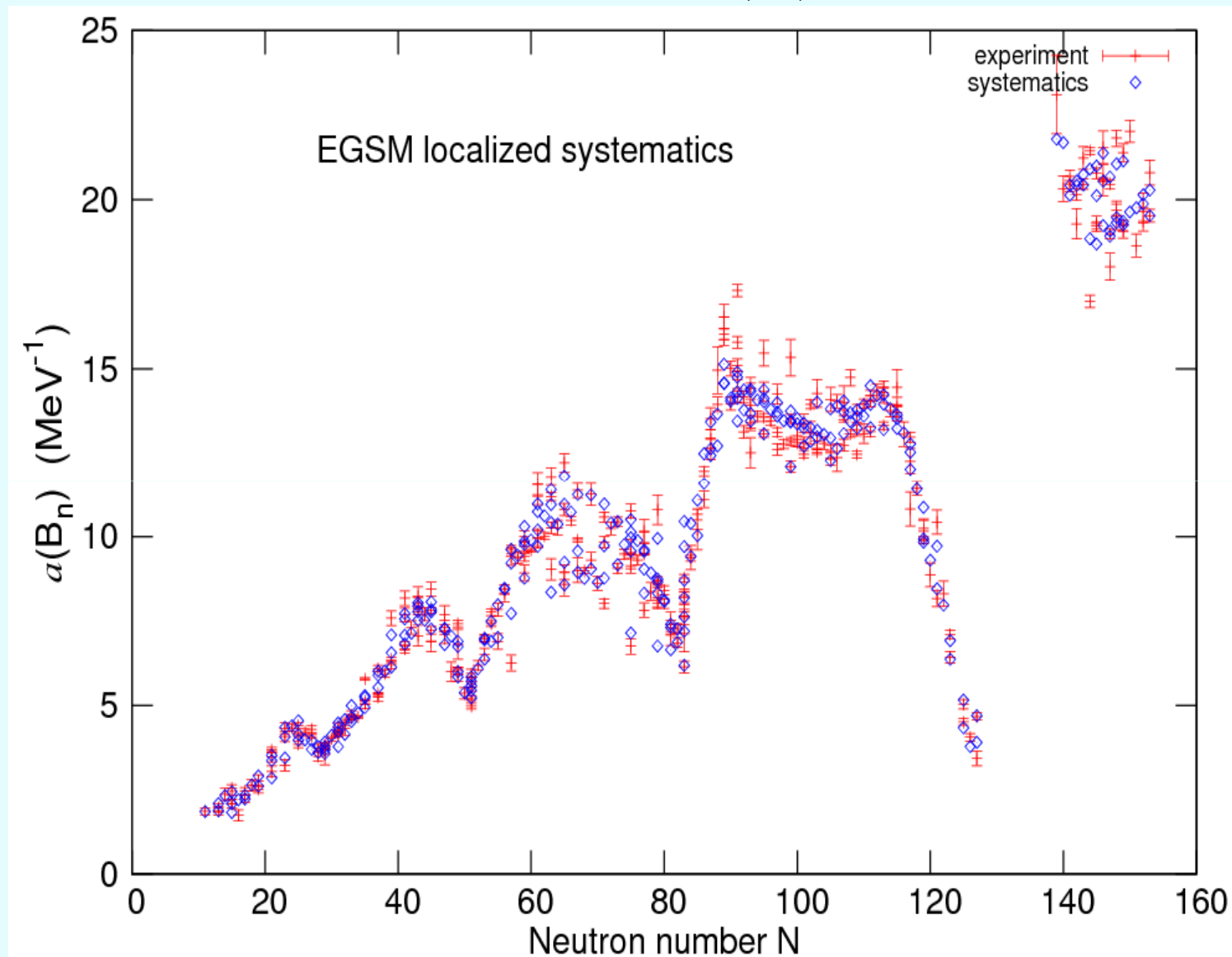
BFM (1)



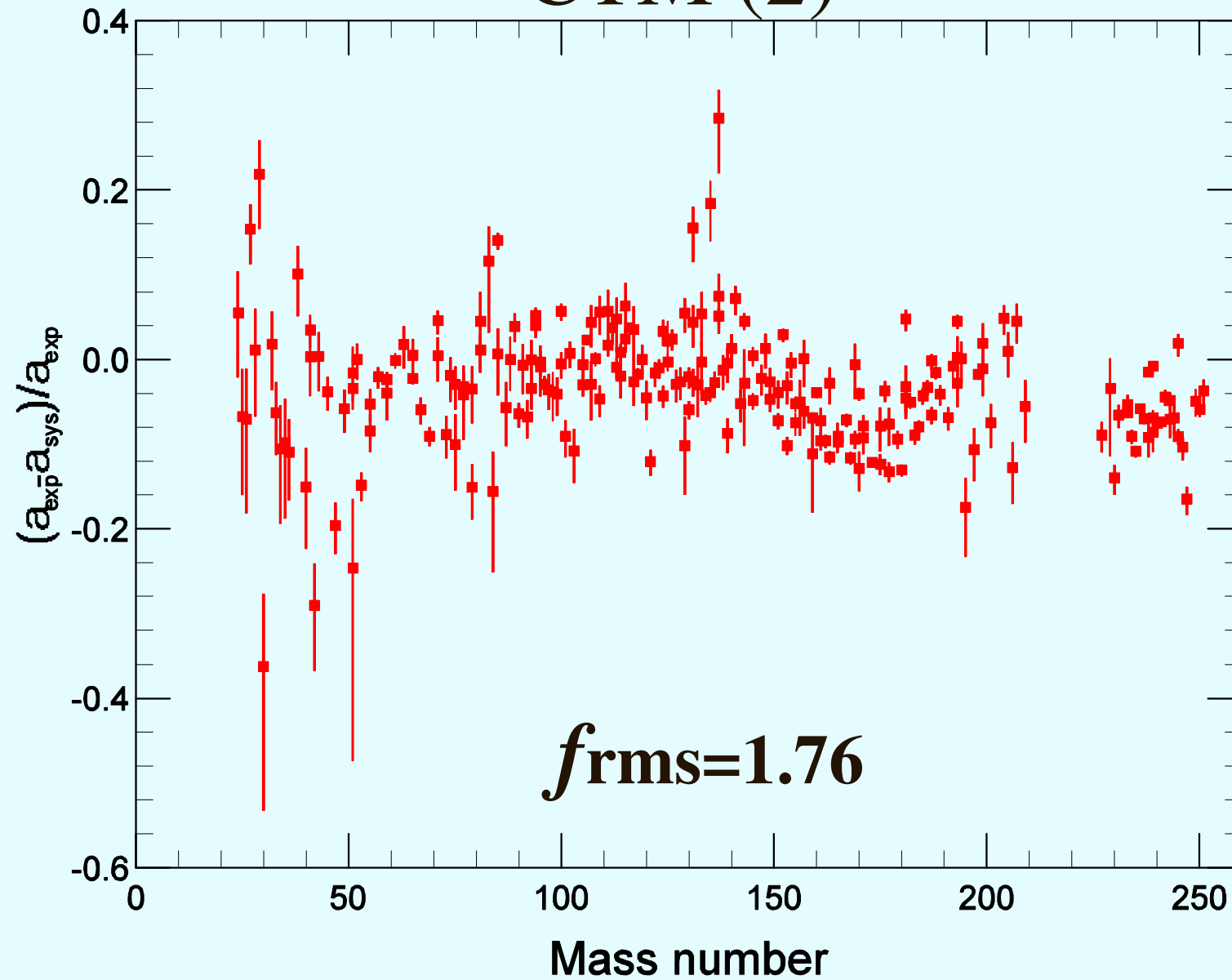
GSM (1)

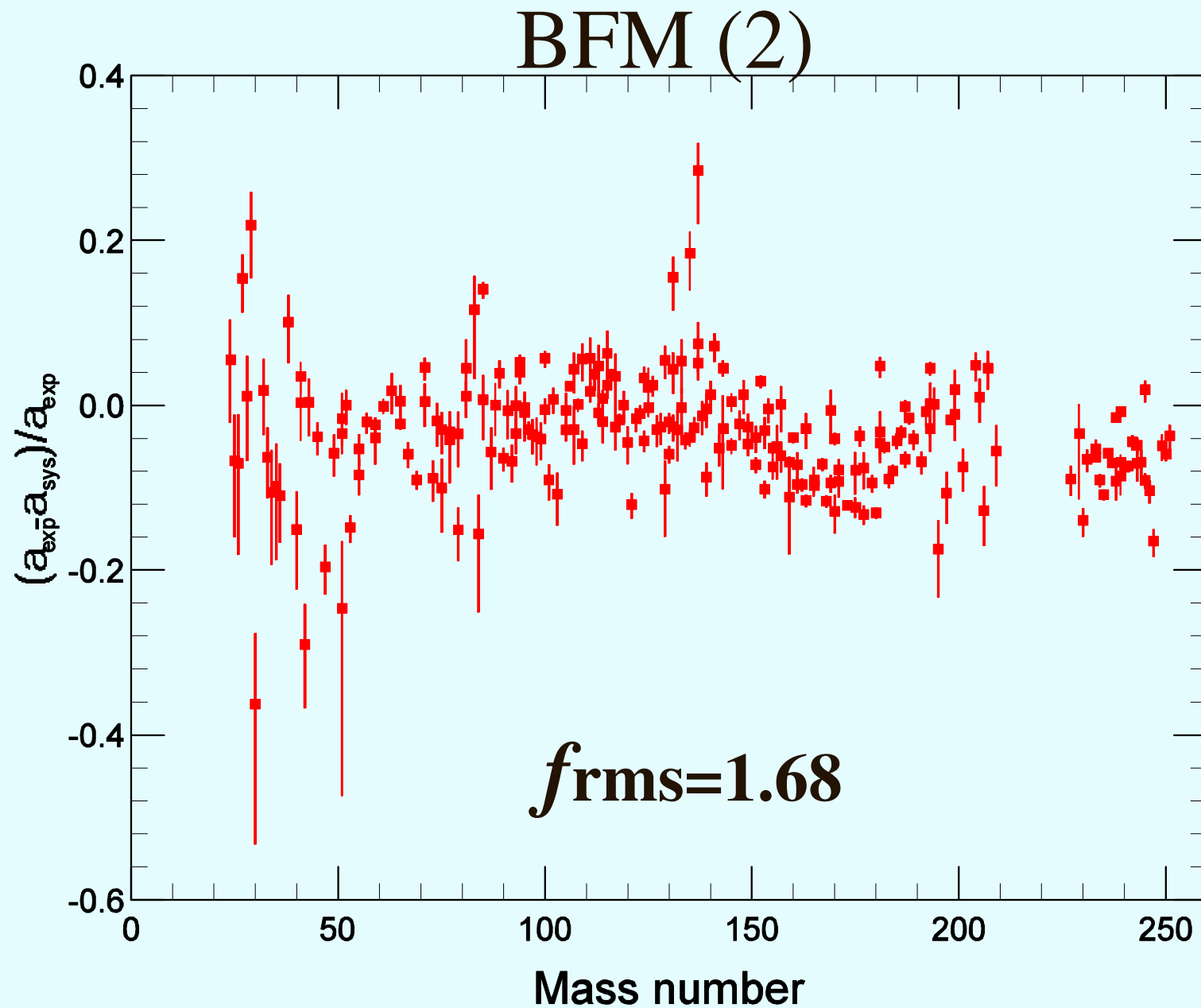


EGSM (1)

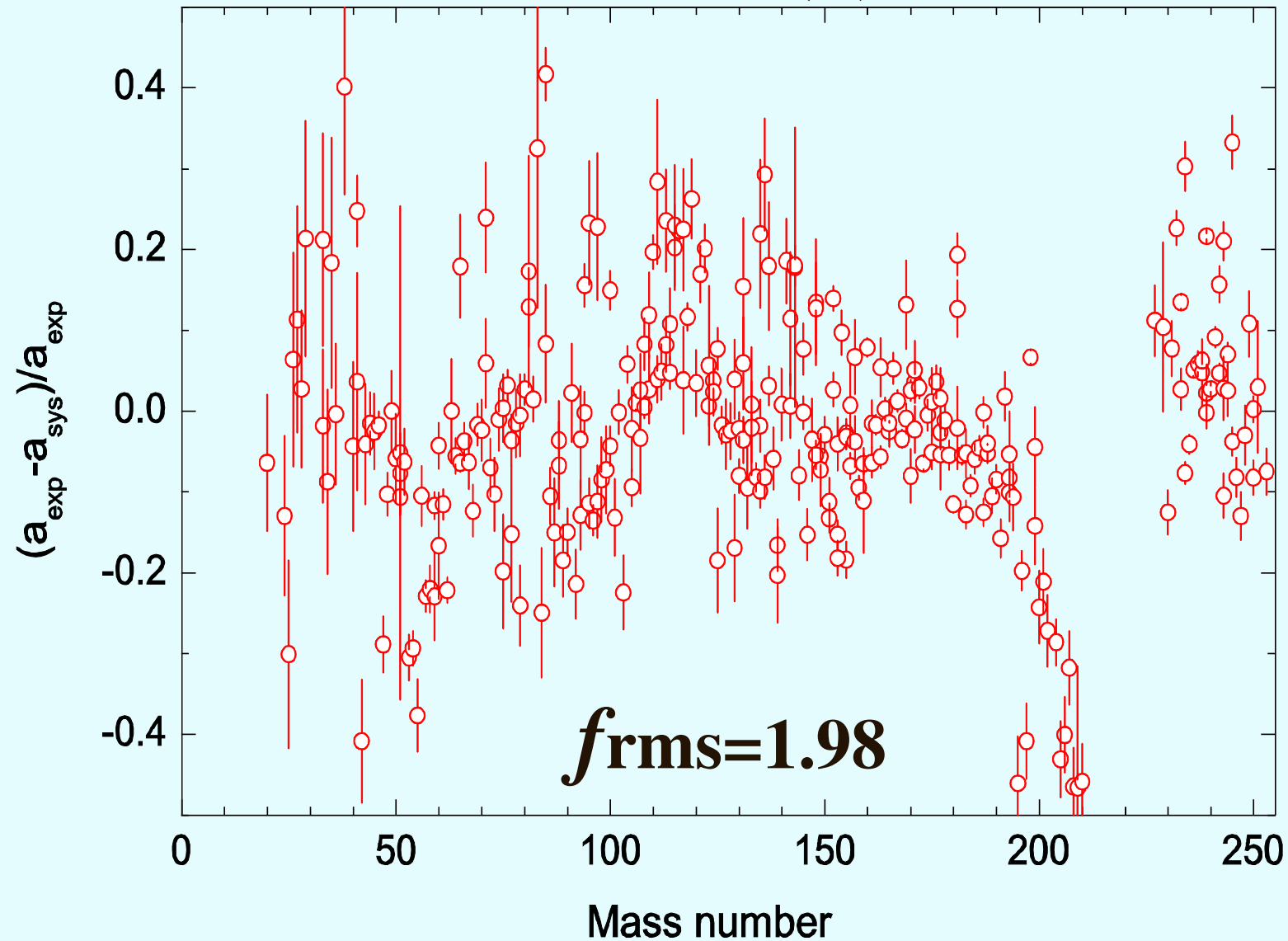


CTM (2)

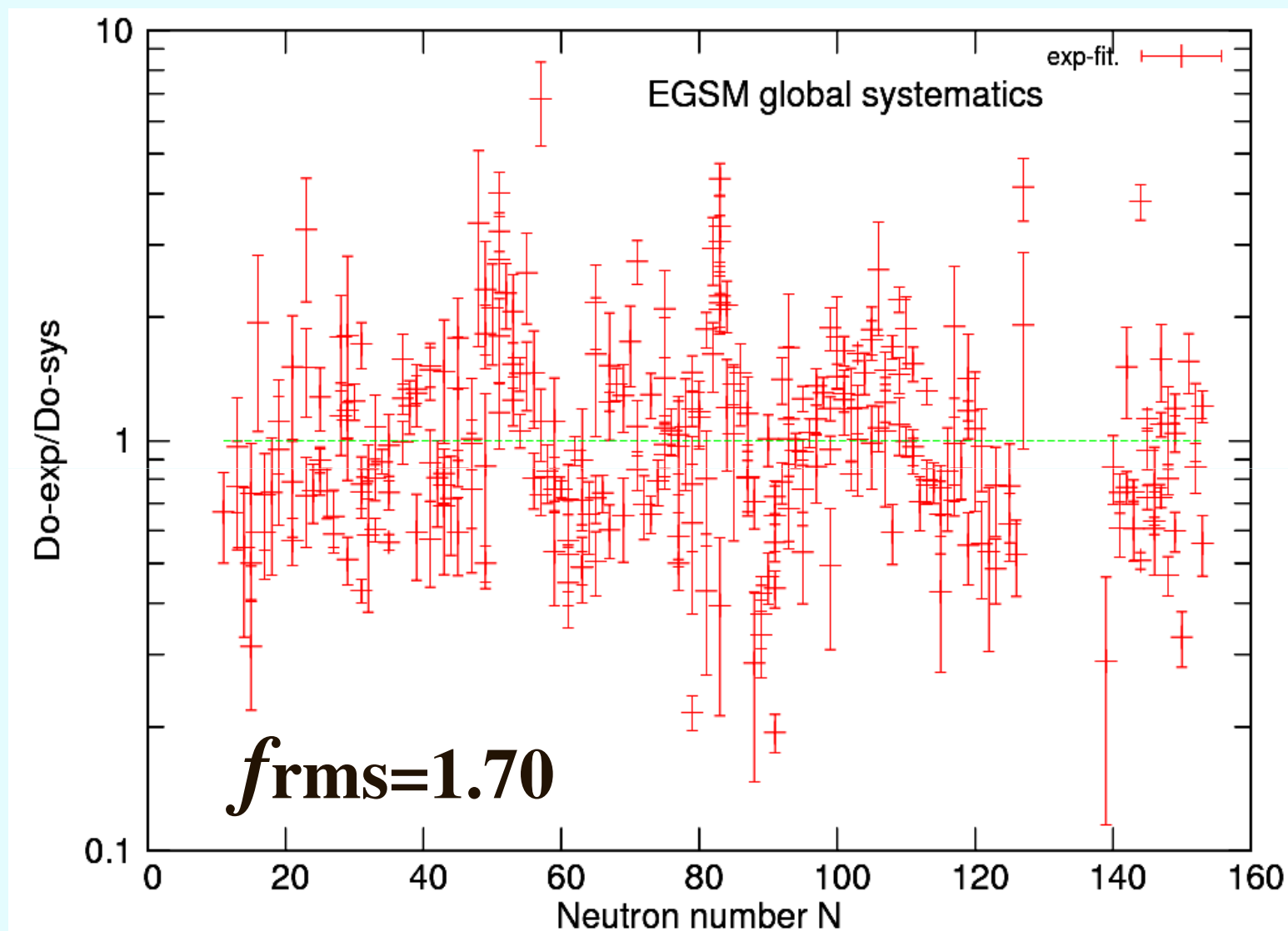




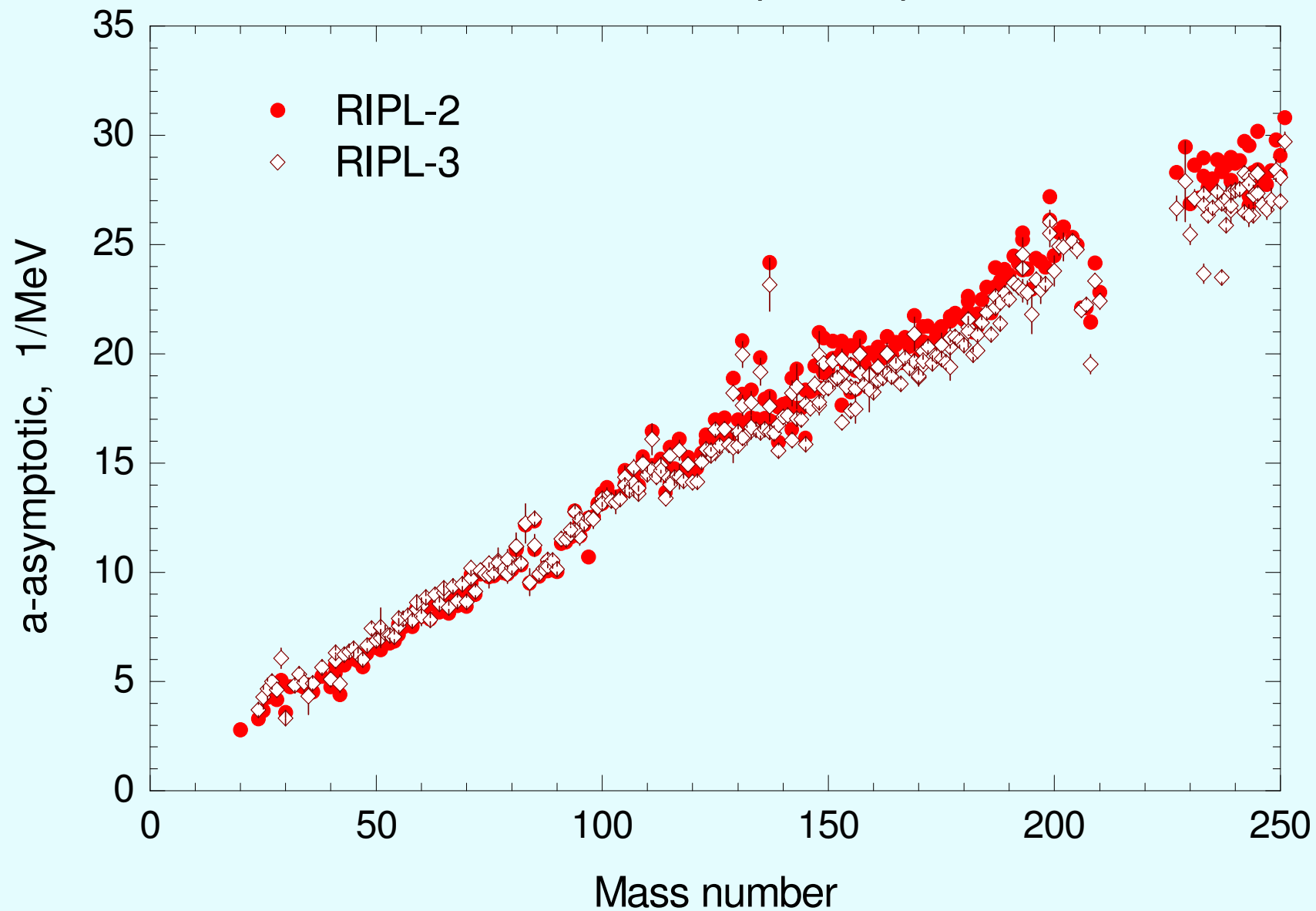
GSM (2)



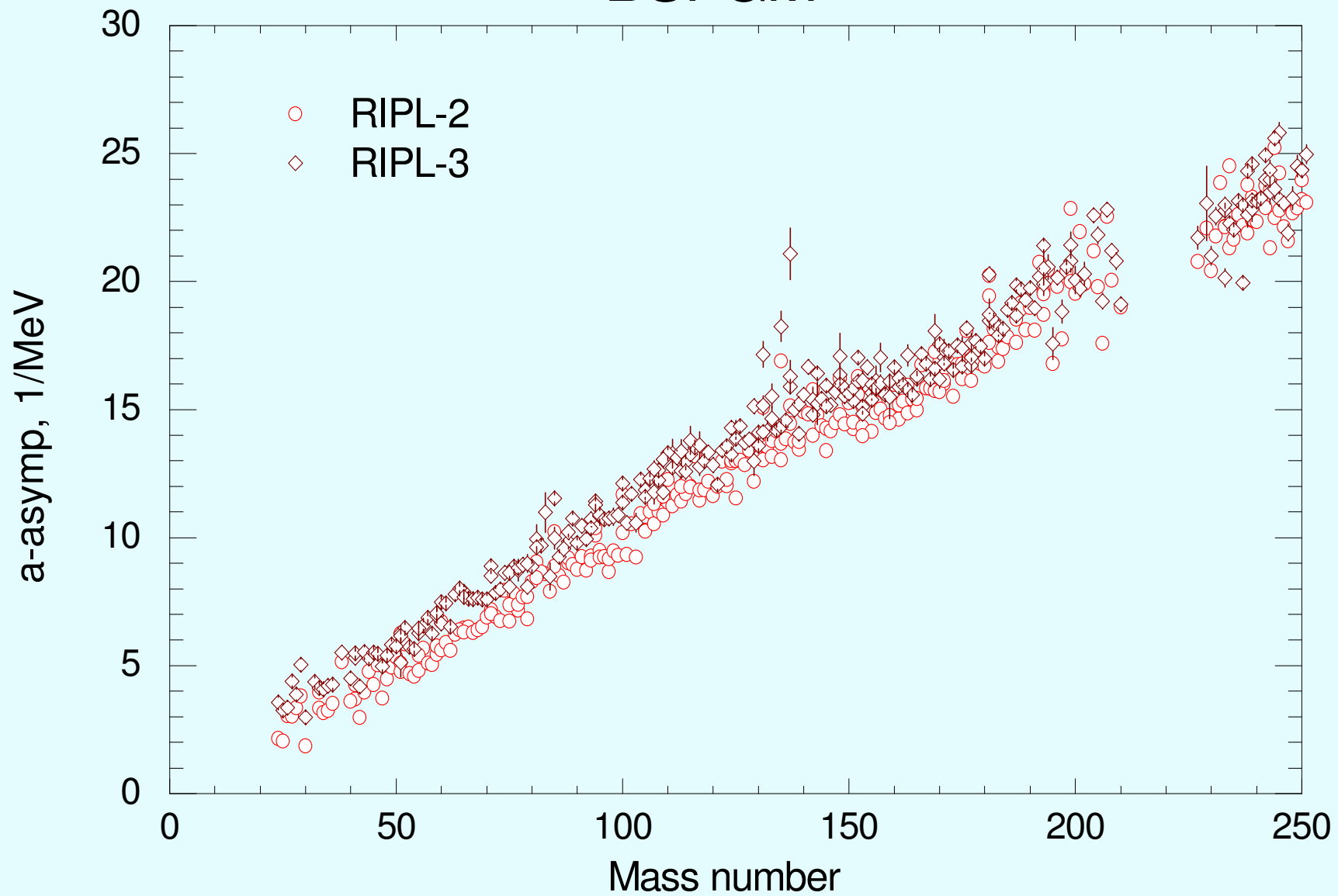
EGSM (2)



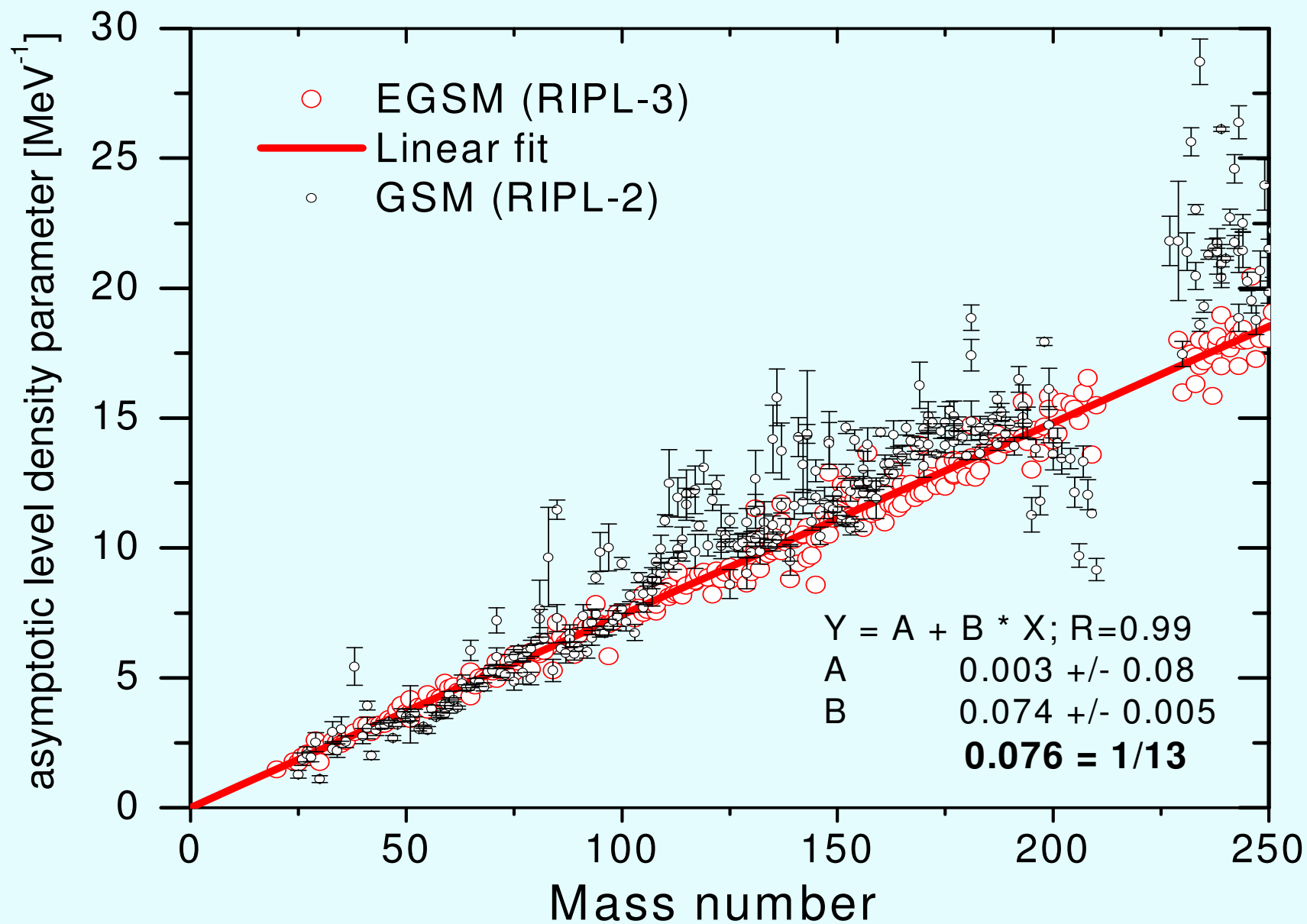
CTM (G&C)



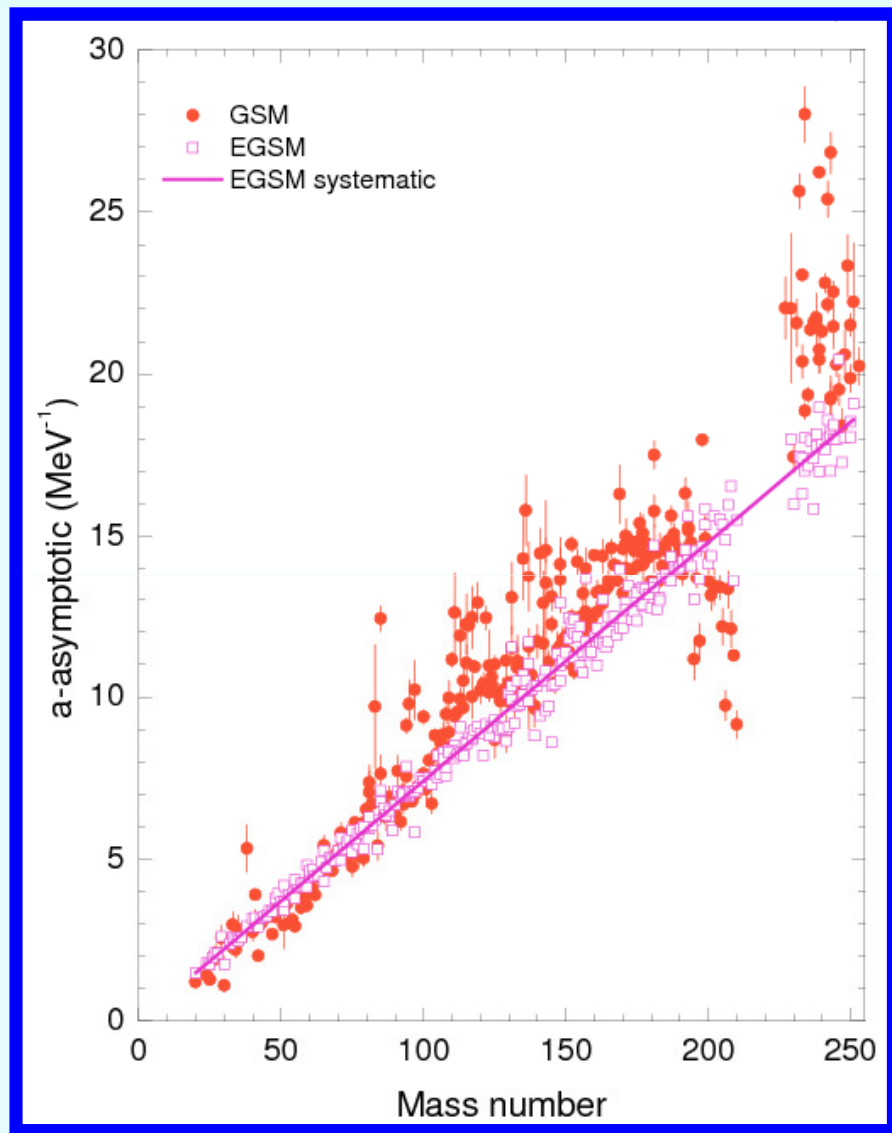
BSFGM



EGSM vs GSM



EGSM level density model



$$\tilde{a} = \alpha A + \beta A^{2/3},$$

$$\alpha = 0.0741,$$

$$\beta = 0.0003,$$

$$\gamma_0 = 0.5725.$$

$$f_{\text{rms}} = 1.70$$

Notable features of the EGSM parameterization are the vanishing role of the nuclear surface term (β parameter is negligible compared to α in Eq. (52)), and the linear dependence of “experimental” asymptotic $\tilde{a}$ values on mass number A ($\tilde{a} \approx 0.0741A = A/13.5$). The derived asymptotic value of the level density parameter is very close to the theoretical value of the Fermi gas model of Eq. (44); the complete absence of the shell effects in the mass dependence of $\tilde{a}$ is a strong argument in favor of the collective enhancements and shell corrections adopted in the EGSM.



5.- LEVEL DENSITIES

Based on OBSERVABLES:

RIPL-3 discrete levels (2) and Neutron resonances (3)

Provide SEMI-MICROSCOPIC level density parameters for :

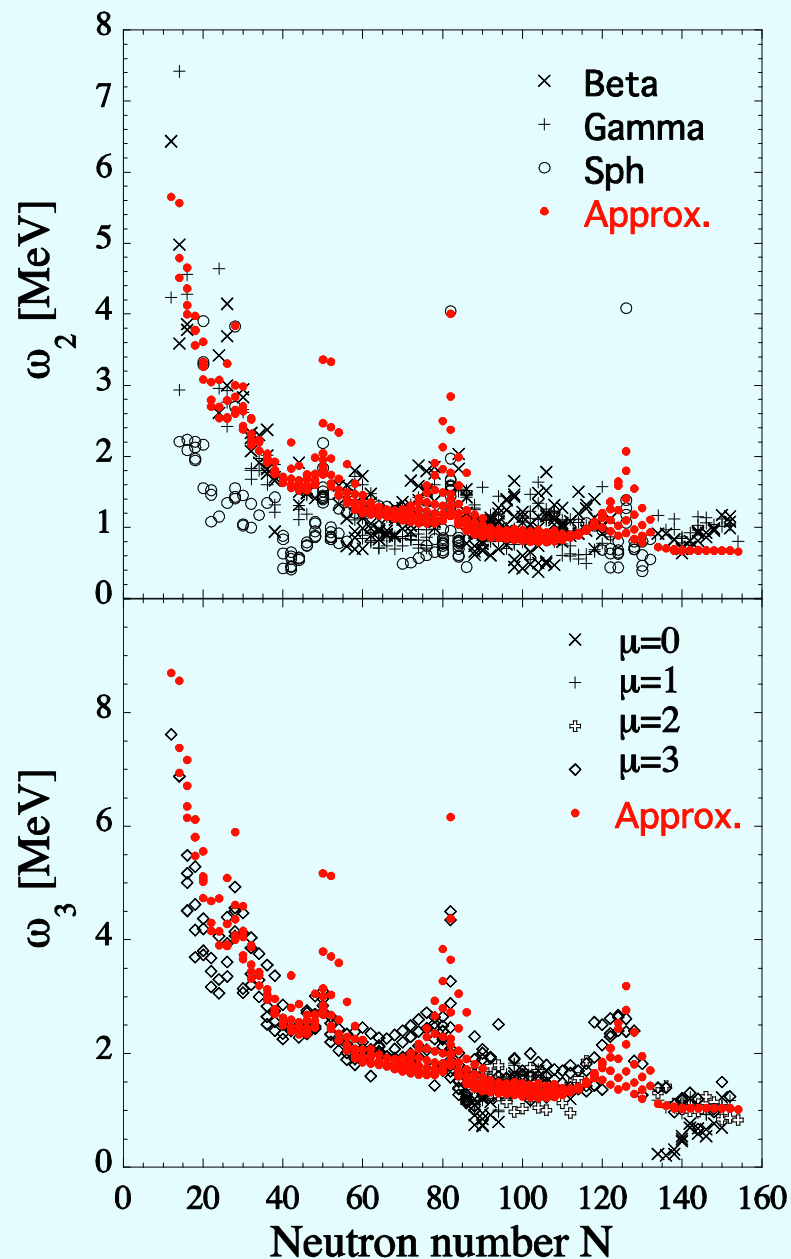
HFB combinatorial LD: (TALYS & EMPIRE)

Micro-canonical treatment : A truly combinatorial method can provide NLDs as a function of the excitation energy, spin and parity without any a-priori assumption on the spin and parity distributions for all the nuclei of the periodic table.

Convolution of intrinsic and collective LDs

Phenomenological vibrational enhancement, $\mathfrak{Z} = \mathfrak{Z}_{\text{rig}}$





$$\omega_2[\text{MeV}] = 65A^{-5/6}/(1 + 0.05E_{shell}), \quad (119)$$

for the quadrupole vibrations, and

$$\omega_3[\text{MeV}] = 100A^{-5/6}/(1 + 0.05E_{shell}), \quad (120)$$

for the octupole excitations. The hexadecapole mode can be expressed relative to the quadrupole mode [210], leading to a similar expression:

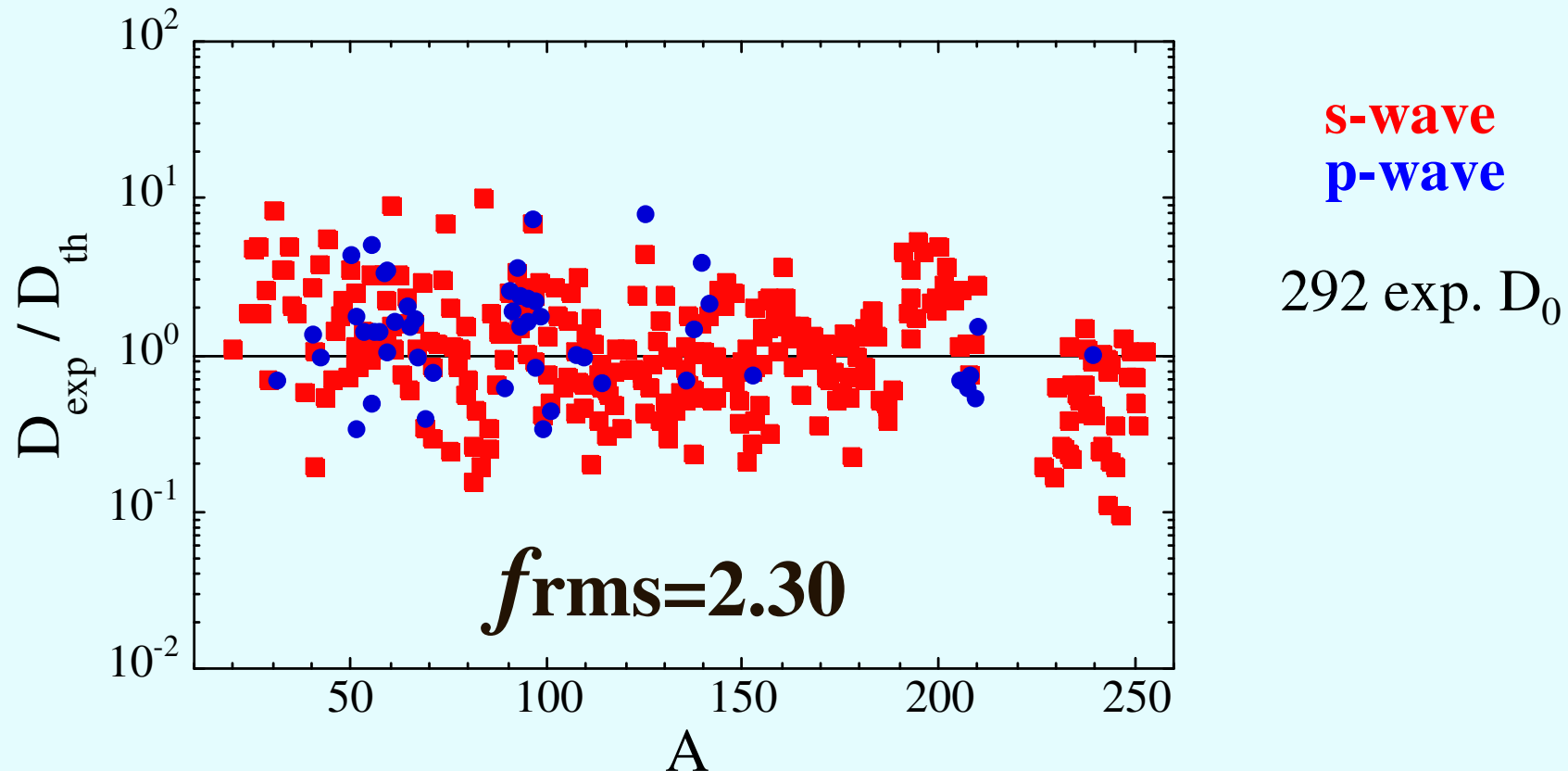
$$\omega_4[\text{MeV}] = 160A^{-5/6}/(1 + 0.05E_{shell}). \quad (121)$$



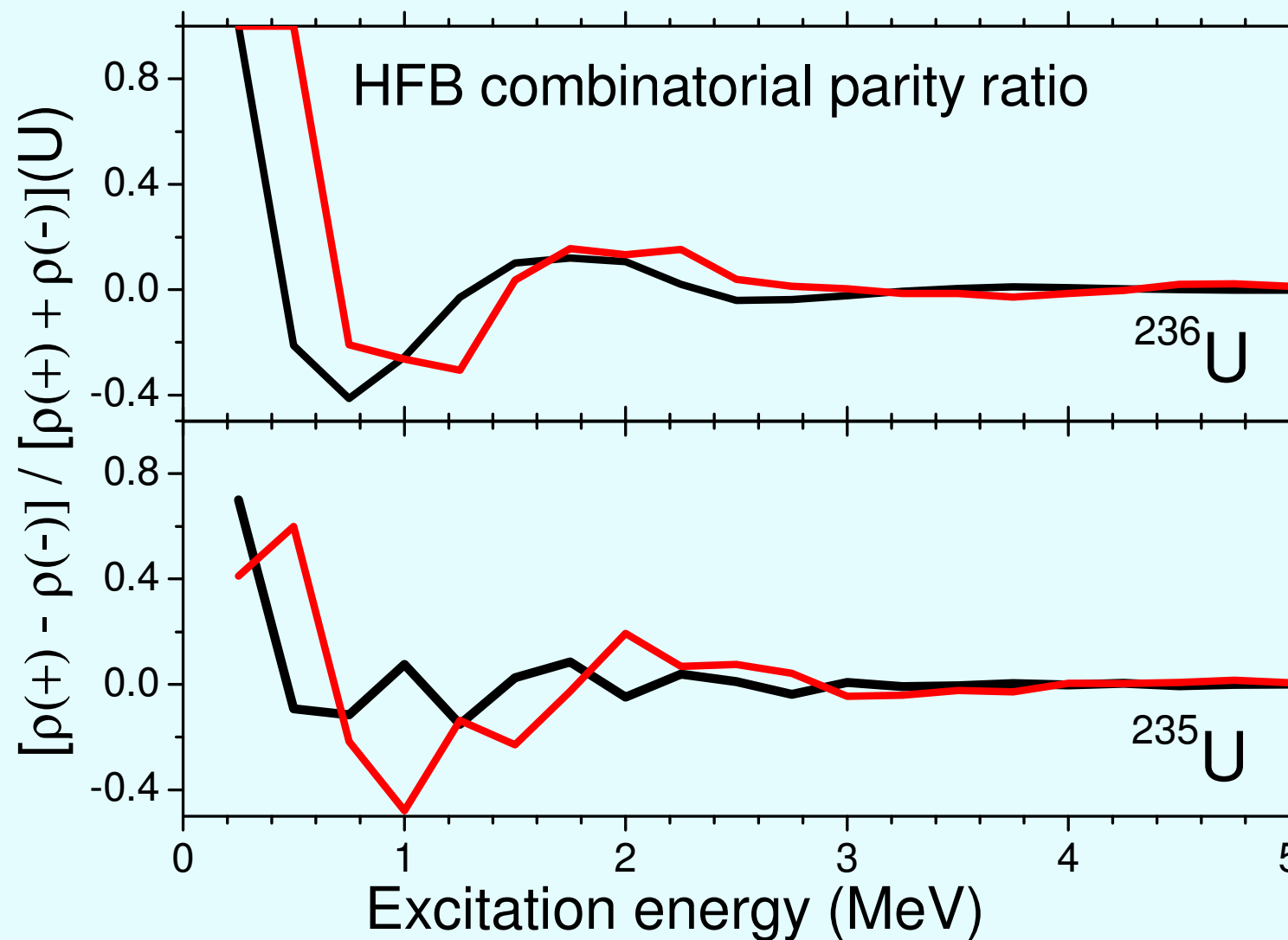
A NEW global combinatorial NLD formula

S. Hilaire & S. Goriely (2007)

- Particle-hole as well as total parity-, spin- and E-dependent NLD
- Deviation from the statistical limit at low energies (discrete counting)

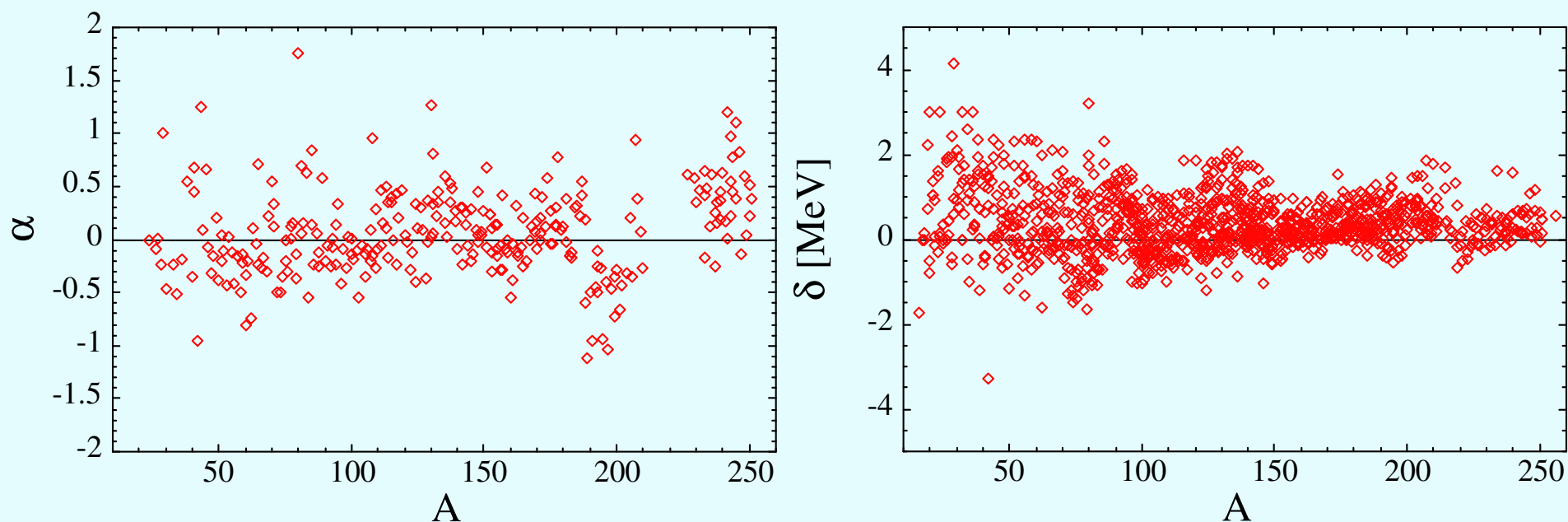


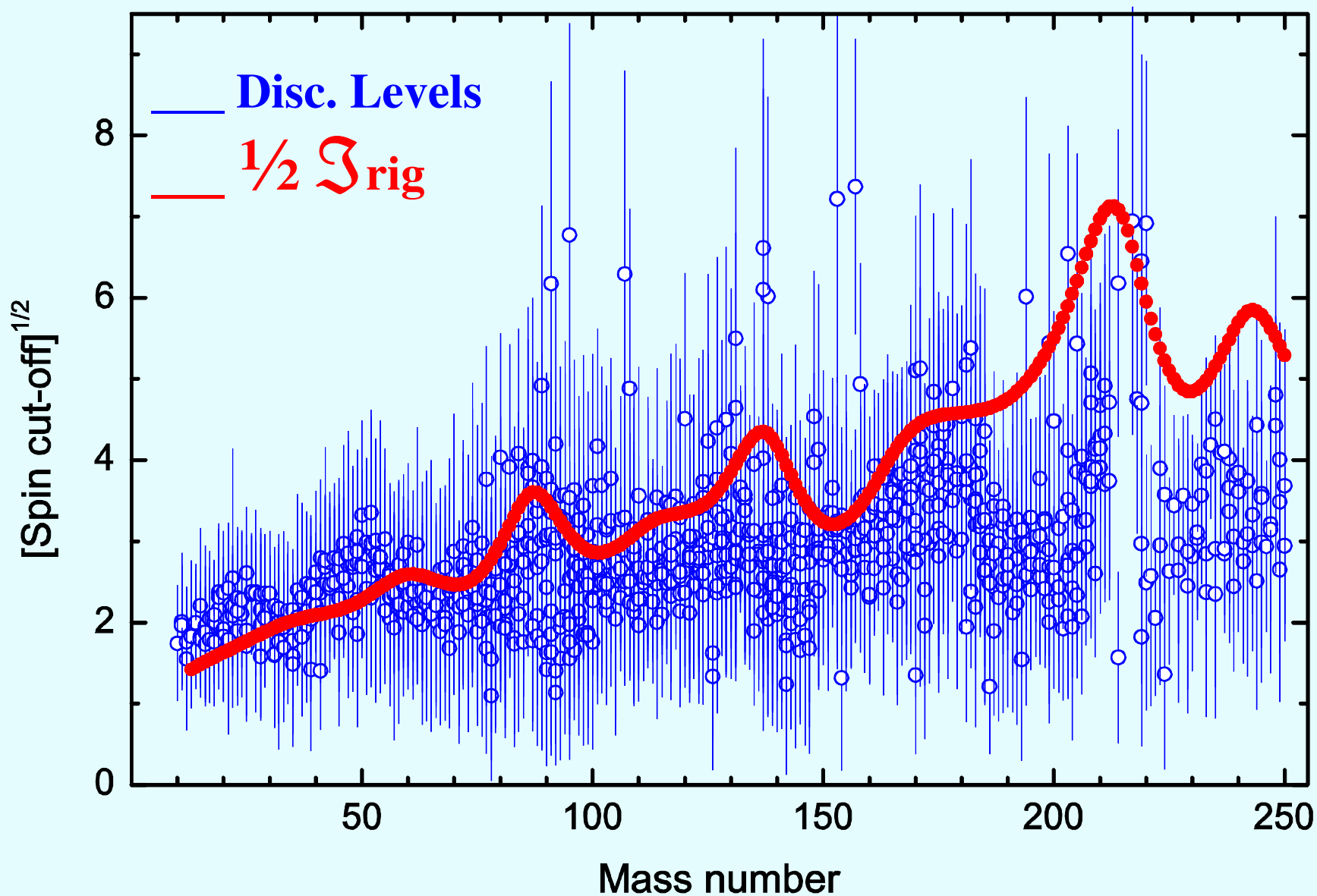
RIPL-3 HFB LD: parity dependence



Renormalization factors to reproduce D_0 and cumulative levels

$$\rho_{\text{renorm}}(U) = e^{\alpha\sqrt{U-\delta}} \rho_{\text{HFB}}(U - \delta)$$





CONCLUDING REMARKS

RIPL database development has involved important advances in the evolution of a complete and consistent set of input parameters for the calculation of a wide range of nuclear reactions.

Both phenomenological and semi-microscopic LDs were fitted to the latest discrete level and resonance spacing data.

Efforts will continue to develop this database further, and monitor all studies that impact and could possibly improve their contents.

<http://www-nds.iaea.org/RIPL-3/>

Nuclear Data Sheets 110 (2009) 3107–3214

