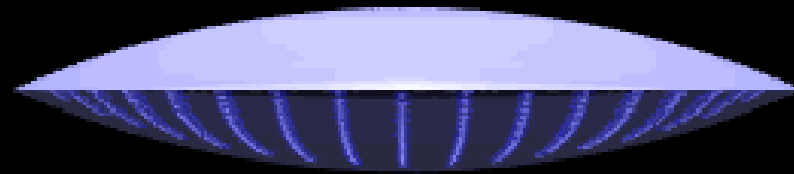


Emerging Magnetic Order

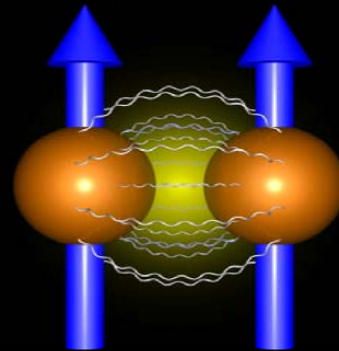


*Theo Rasing
Radboud Universiteit
Nijmegen*



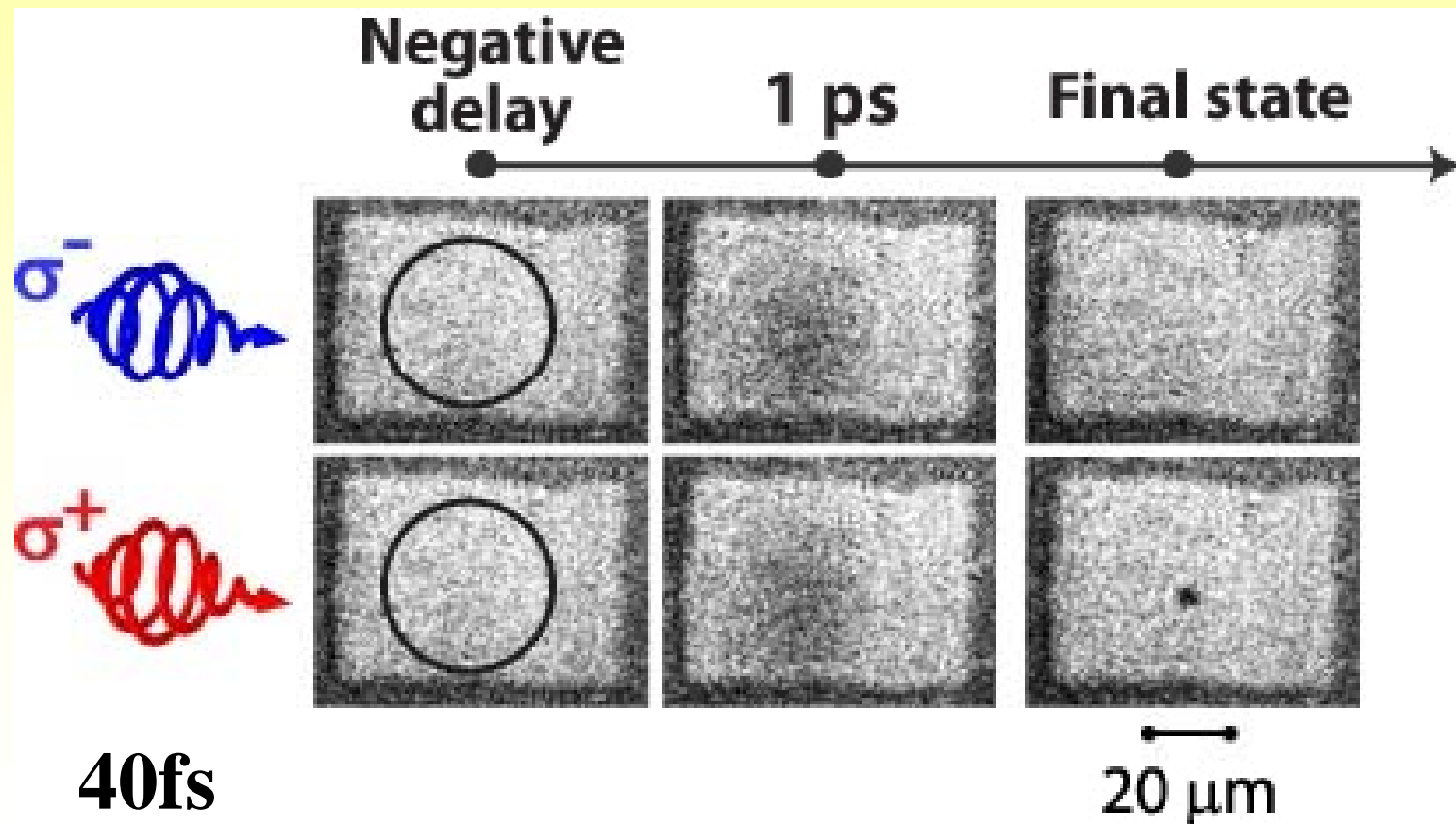
Magnetism on the timescales Challenges and Opportunities of the exchange interaction

*Theo Rasing
Radboud University Nijmegen*

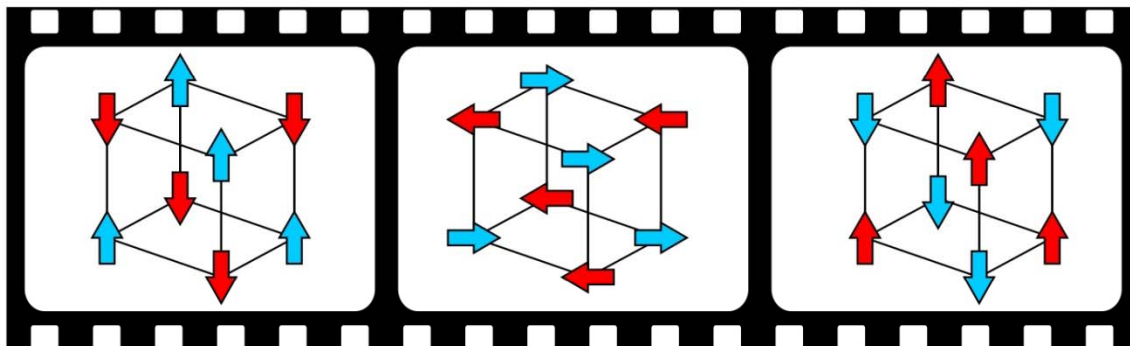
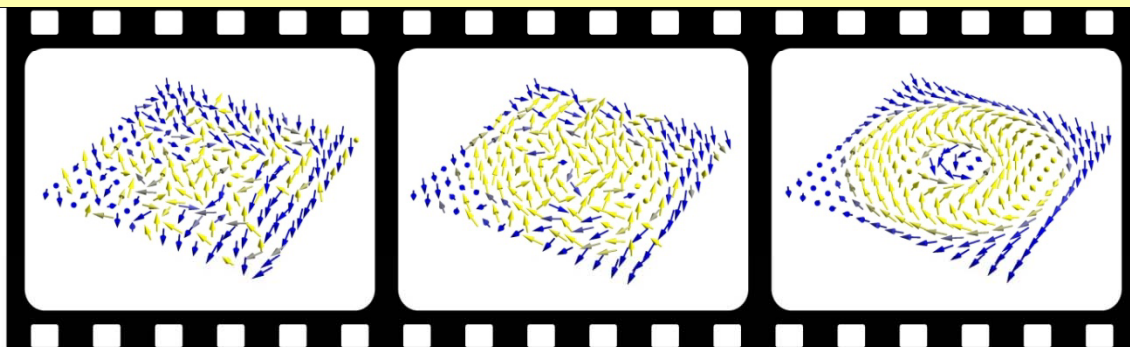
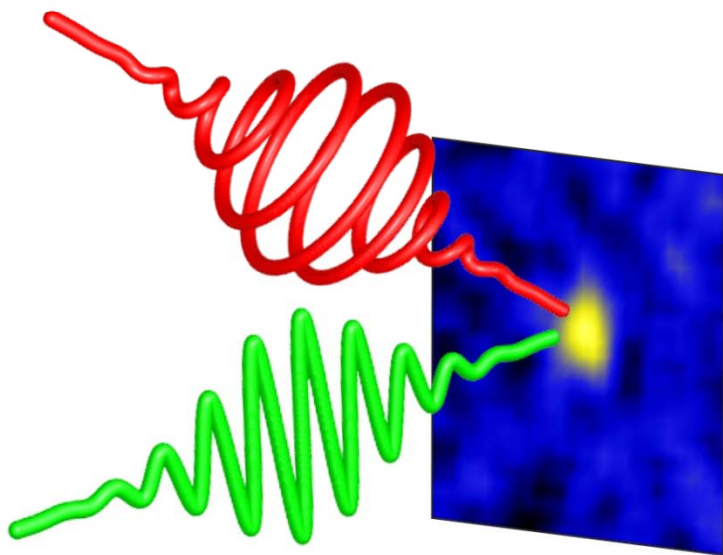


$$J_{\text{Fe-Fe}} = 1.4 \times 10^{-19} \text{ J} \sim 40 \text{ fs}$$

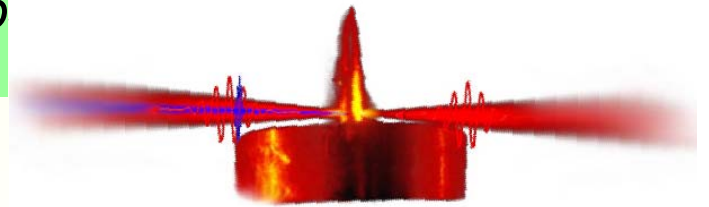
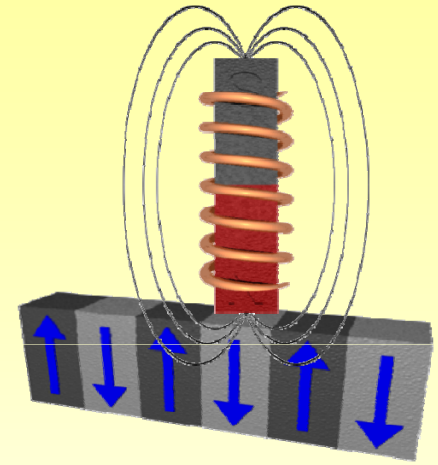
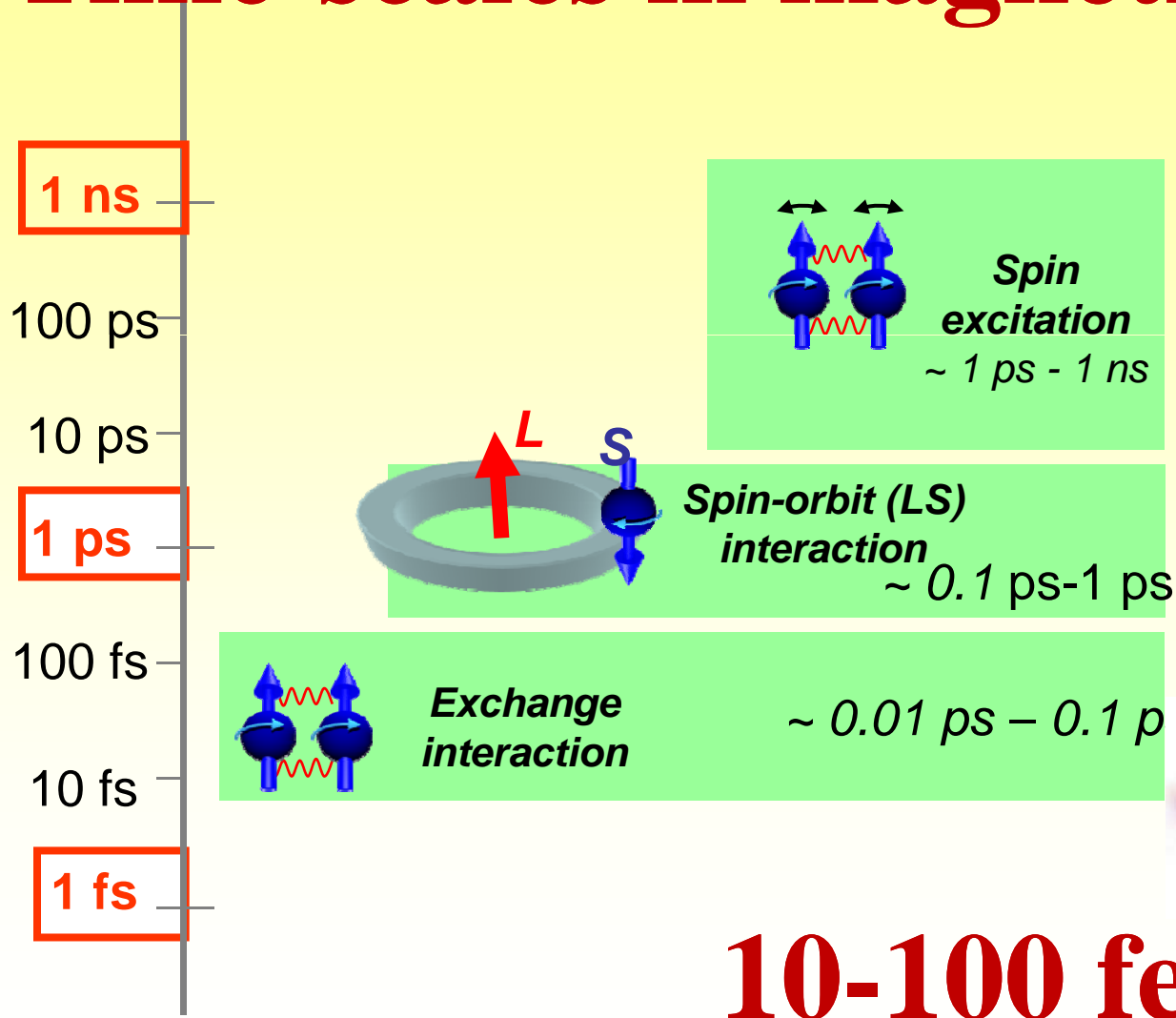
Emerging Magnetic Order



Emerging Magnetic Order



Time-scales in magnetism



10-100 femtosecond!

Length-scales in magnetism

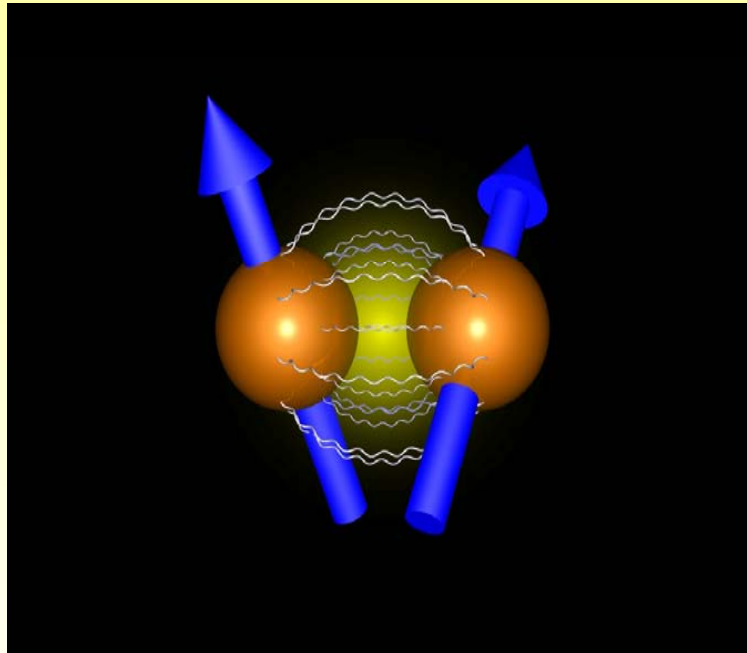
$$l = \sqrt{J/K} \sim nm$$



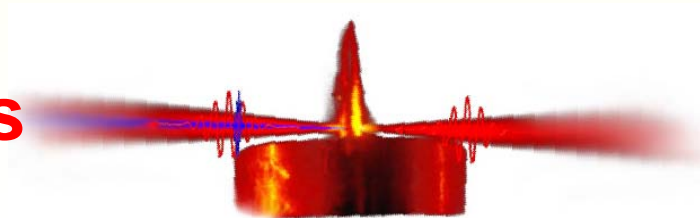
Tb+THz

nm+fs!

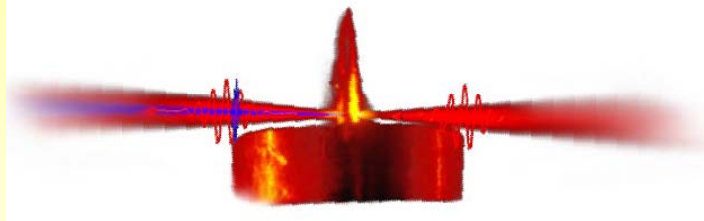
New Mechanisms?



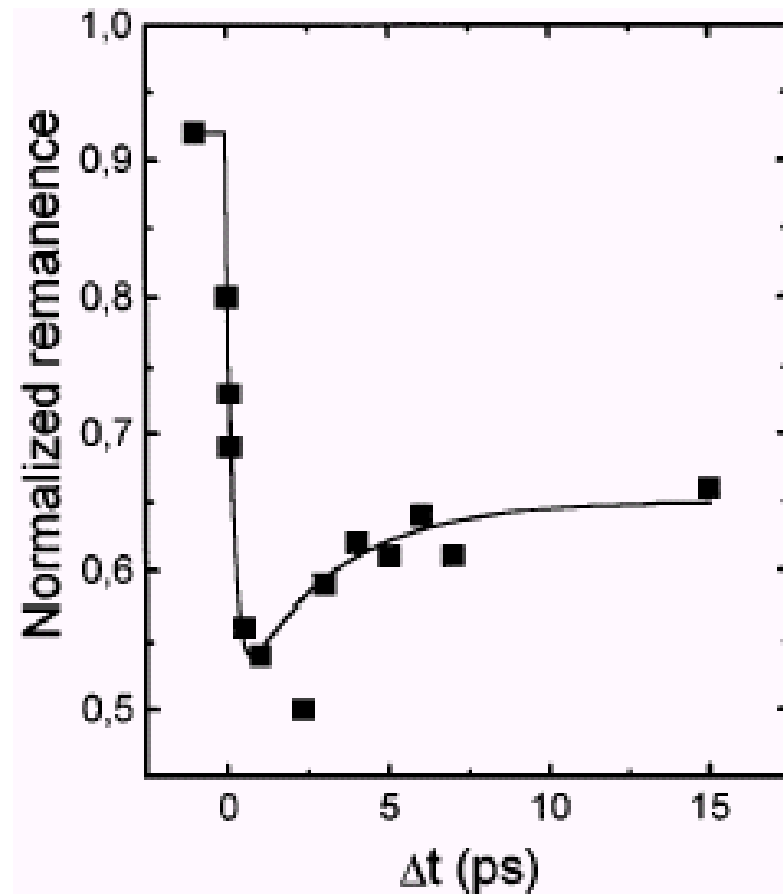
1-2eV, 10-100fs



1996 Beaurepaire et al:

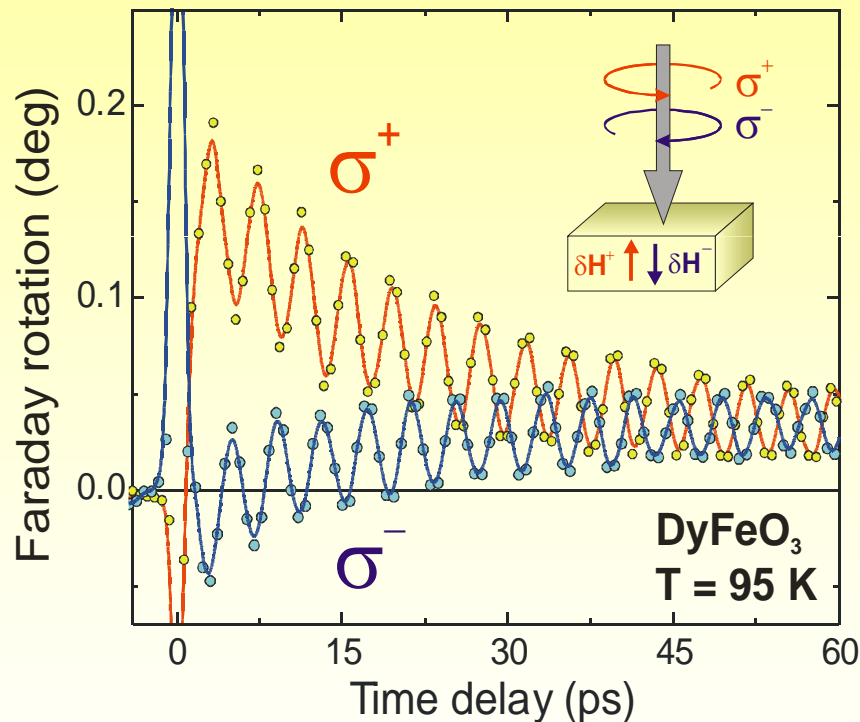


60fs



Magnetization is changed within a picosecond!!!

Ultrafast excitation of spins in DyFeO₃ via the Inverse Faraday effect

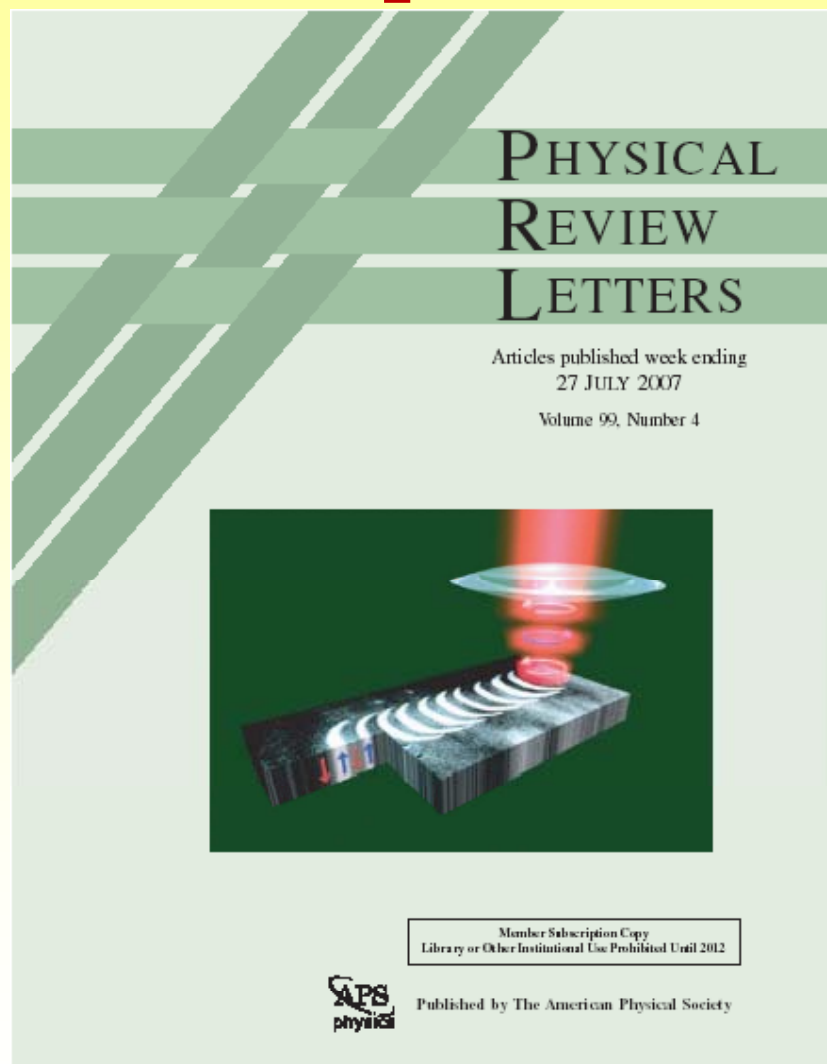


A. Kimel et al, *Nature* **435** 655 (2005).

Referee A:

“But, unfortunately, the observed signal is so small that it seems impractical to utilize the inverse Faraday effect for the purpose of ultrafast control of magnetization in metallic materials.”

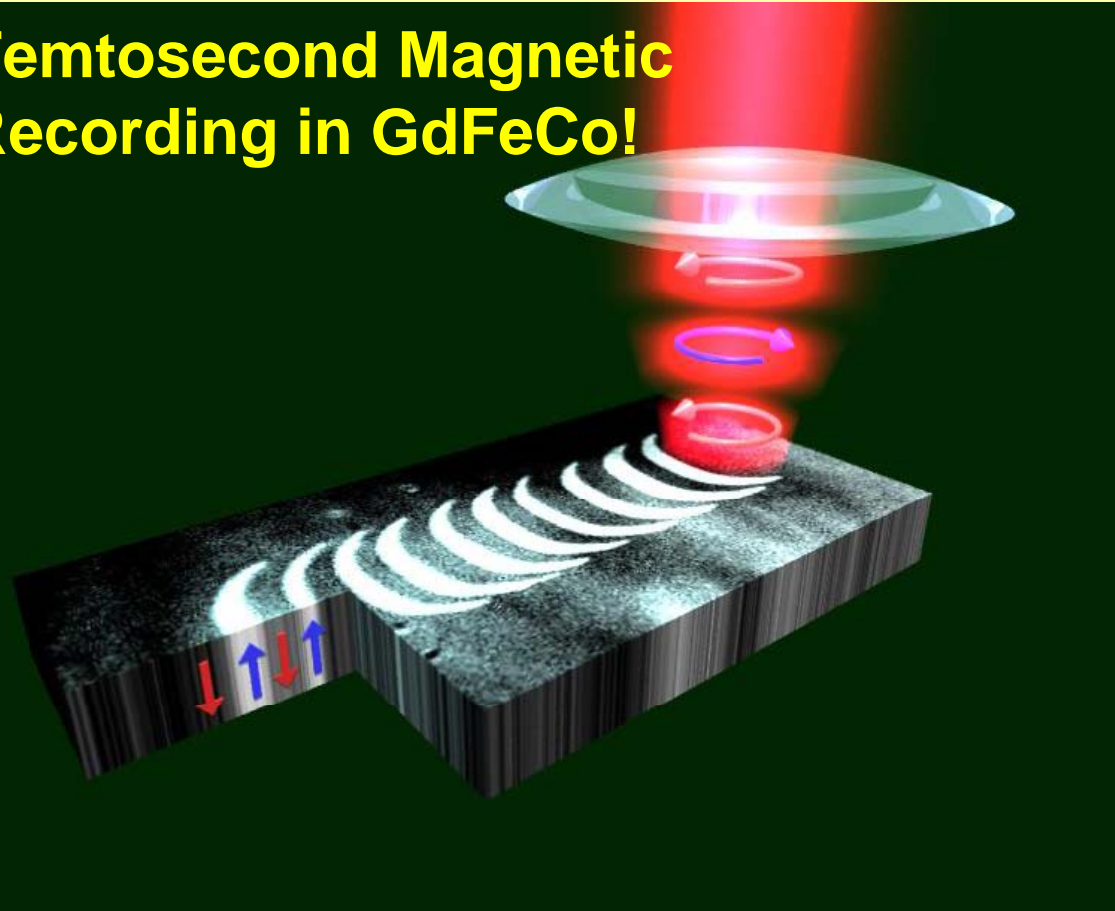
Ultrafast all optical recording



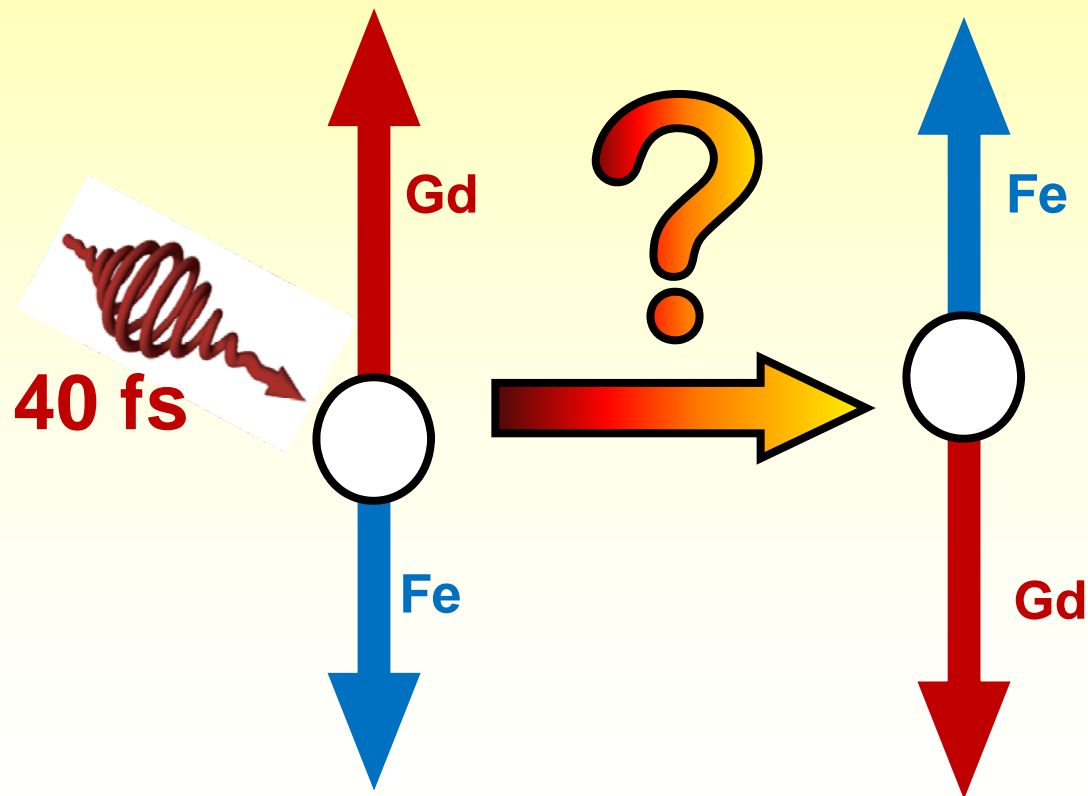
C.D. Stanciu et al., *patent* #P77323PC00, PRL **99**, 047601 (2007)

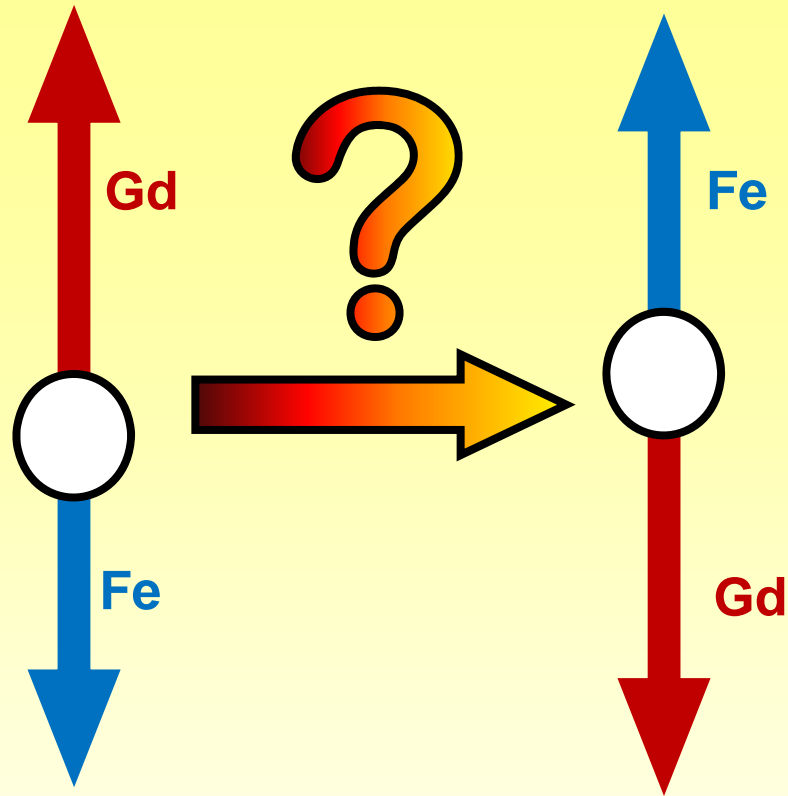
GdFeCo: multi-sublattice ferrimagnet!

Femtosecond Magnetic
Recording in GdFeCo!



Ultrafast **laser** induced reversal in *multi*-sublattice **magnets**





Angular momentum transfer?

Role of temperature?

Role of sublattices?

.....

Beyond Landau-Lifshitz dynamics

ON THE THEORY OF THE DISPERSION OF MAGNETIC PERMEABILITY IN FERROMAGNETIC BODIES.

By L. Landau and E. Lifshitz.

(Received June 3, 1935).

magnetic moment. Therefore in the presence of the field the magnetic moment would act as a free moment, i. e. would rotate around \mathbf{f} and we should have for \mathbf{s} ($\dot{}$ denotes differentiation by time) the equation

$$\dot{\mathbf{s}}/\mu_0 = [\mathbf{f}\mathbf{s}] + \lambda \left(\mathbf{f} - \frac{(\mathbf{f}\mathbf{s})\mathbf{s}}{s^2} \right). \quad (21)$$

* The second term here is a vector directed from \mathbf{s} to \mathbf{f} . The constant λ is $\lambda \ll s$ in accordance with the fact that the relativistic interaction is weak. We disregard here altogether the variation of the absolute value of \mathbf{s} .

$$\frac{d\mathbf{S}}{dt} = -\gamma \mathbf{S} \times \mathbf{H}$$

$$\gamma = g \frac{e}{2m} = 0.28 \text{ Ghz/T}$$

Typical laboratory fields $\sim 1\text{T}$
 \rightarrow Reversal time $\sim 1 \text{ ns!}$

Magnetism on the timescale of exchange:

\rightarrow *LONGITUDINAL spin dynamics*

$$\frac{d|\mathbf{S}|}{dt} = ?$$

Onsager's relations for spin dynamics

Baryakhtar, JETP 1984

Magnetic free energy

$$F = \int \{f(S^2) - \mathbf{S} \cdot \mathbf{H}_0 - K_u S_z^2 + \dots\} dV$$

Generalized force

$$\mathbf{H}(\mathbf{r}, t) = -\delta F / \delta \mathbf{S}(\mathbf{r}, t)$$

$$\frac{dF}{dt} = - \int \frac{d\mathbf{S}(\mathbf{r}, t)}{dt} \cdot \mathbf{H}(\mathbf{r}, t) dV$$

Generalized position

$\mathbf{S}(\mathbf{r}, t)$ angular momentum

Symmetry of kinetic coefficients

$$dS_i(\mathbf{r}', t)/dt = \int \lambda_{ik}(\mathbf{r}' - \mathbf{r}, \mathbf{S}(\mathbf{r})) H_k(\mathbf{r}', t) dV$$

$$\lambda_{ik}(\mathbf{S}) = \lambda_{ki}(-\mathbf{S})$$

$$= \lambda_{ik}(\mathbf{S}) H_k(\mathbf{r}, t) + \lambda_{ik,lm} \partial^2 H_k / \partial r_l \partial r_m + \dots$$

$$\lambda_{ik}^s(\mathbf{S}) = (\lambda_{ik} + \lambda_{ki})/2$$

$$\lambda_{ik}^a(\mathbf{S}) = (\lambda_{ik} - \lambda_{ki})/2$$

$$d\mathbf{S}/dt = \mathbf{S} \times \mathbf{H} + \lambda^s \mathbf{H} + \dots$$

Anti-symmetric
precession

Symmetric
longitudinal


More general: **multiple** sublattices

Rate of change free energy

$$\frac{dF}{dt} = - \int \left\{ \frac{d\mathbf{S}_1}{dt} \cdot \mathbf{H}_1 + \frac{d\mathbf{S}_2}{dt} \cdot \mathbf{H}_2 \right\} dV$$

Longitudinal dynamics to lowest order

$$\frac{d}{dt} \begin{pmatrix} S_1 \\ S_2 \end{pmatrix} = \begin{pmatrix} \lambda_{11}^s & \lambda_{12}^s \\ \lambda_{21}^s & \lambda_{22}^s \end{pmatrix} \begin{pmatrix} H_1 \\ H_2 \end{pmatrix}$$


$$\begin{pmatrix} \lambda_1 & 0 \\ 0 & \lambda_2 \end{pmatrix} + \begin{pmatrix} \lambda_e & -\lambda_e \\ -\lambda_e & \lambda_e \end{pmatrix}$$

relativistic exchange

$$dS_1/dt + dS_2/dt = 0$$

J.H. Mentink *et al.*, *Phys. Rev. Lett.* (2012)

More general: multiple sublattices

$$\begin{aligned} dS_1/dt &= \lambda_e(H_1 - H_2) + \lambda_1 H_1 \\ dS_2/dt &= -\lambda_e(H_1 - H_2) + \lambda_2 H_2 \end{aligned}$$

$$F = \int dV \left\{ \underbrace{f_1(S_1^2)}_{\text{formation sublattice spin moment}} + \underbrace{f_2(S_2^2)}_{\text{formation sublattice spin moment}} - \underbrace{J_{12}(S_1 \cdot S_2)}_{\text{mutual alignment sublattices}} \right\}$$

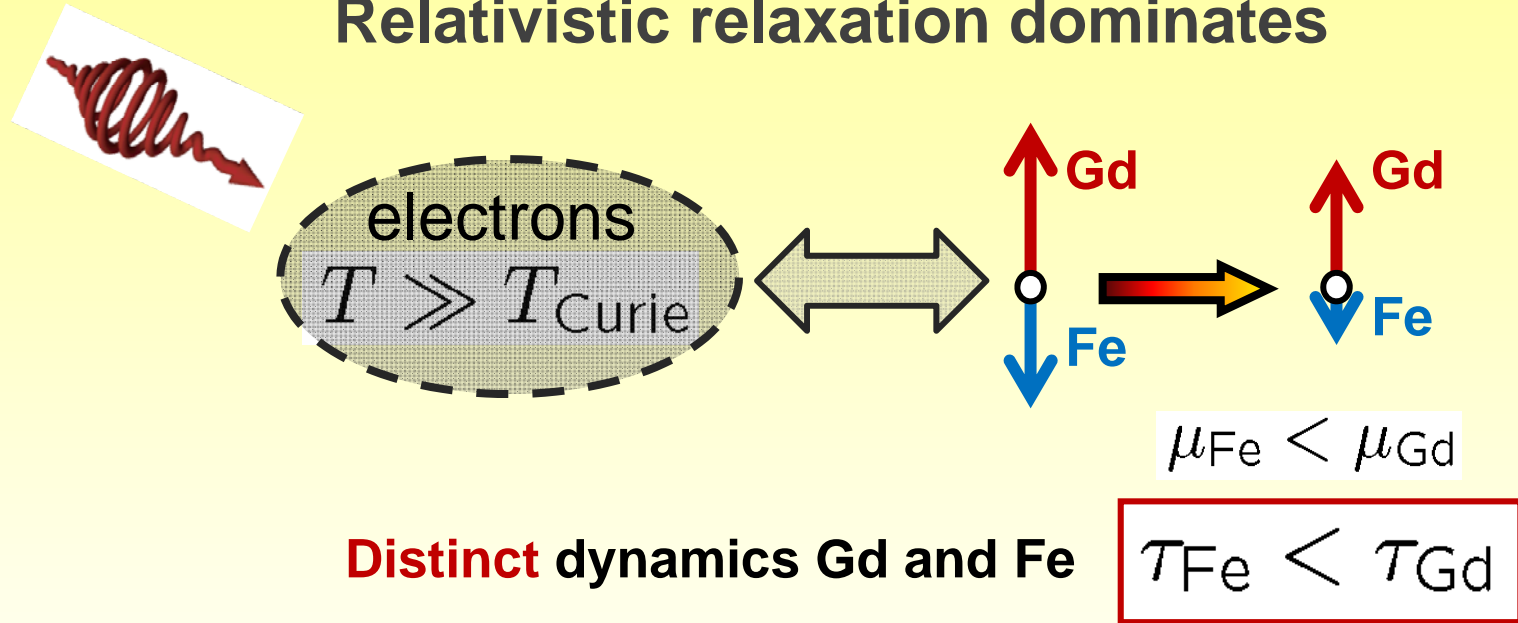
formation sublattice
spin moment

mutual alignment
sublattices

Temperature dominated: $T \gg T_C$, $t \sim 100\text{fs}$

Temperature dominated regime

Relativistic relaxation dominates



Distinct dynamics Gd and Fe

Bloch relaxation

$$\frac{dM_i}{dt} = -\frac{M_i - M_i^{(0)}}{\tau_i}$$

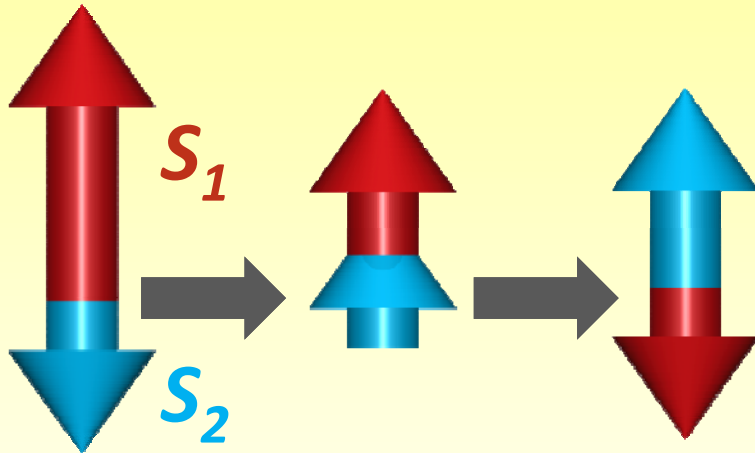
$$\tau_i = \frac{\mu_i}{2\alpha\gamma k_B T}$$

Brown Phys. Rev. 1963

Kubo et al. Prog. Theor. Phys. Suppl. 1970

Exchange dominated: $T < T_C$, $t \sim 1\text{ps}$

Conservation total angular momentum



$$\begin{aligned} dS_1/dt &= \lambda_e(H_1 - H_2) + \cancel{\lambda_1 H_1} \\ dS_2/dt &= -\lambda_e(H_1 - H_2) + \cancel{\lambda_2 H_2} \end{aligned}$$

$$dS_1/dt = -dS_2/dt$$

What if $S_2=0$?

$$dS_2/dt|_{S_2=0} > 0 \Leftrightarrow$$

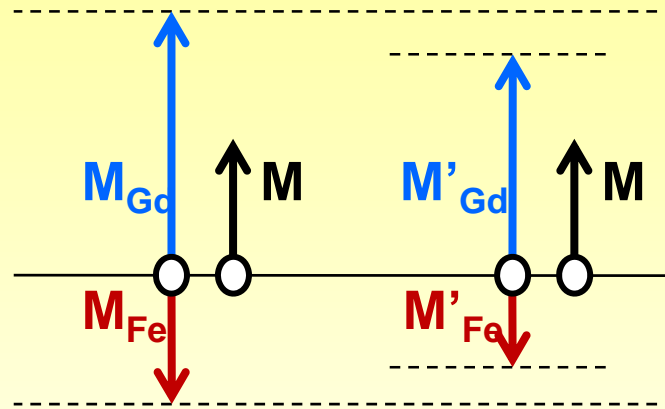
$$(S_1^2 - \bar{S}_1^2)/\chi_1 > |J_{12}|(1 + \lambda_2/\lambda_e) > 0$$

$$f_i(S_i^2) = (S_i^2 - \bar{S}_i^2)^2/4\chi_i$$

Nonequilibrium $S_1^2 \gg \bar{S}_1^2$
Equilibrium value

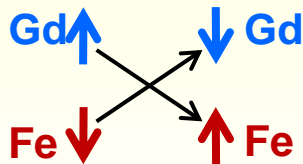
Ground state AFM, transient FM!

Exchange dominated regime



spin-spin interactions

conserve total magnetization M

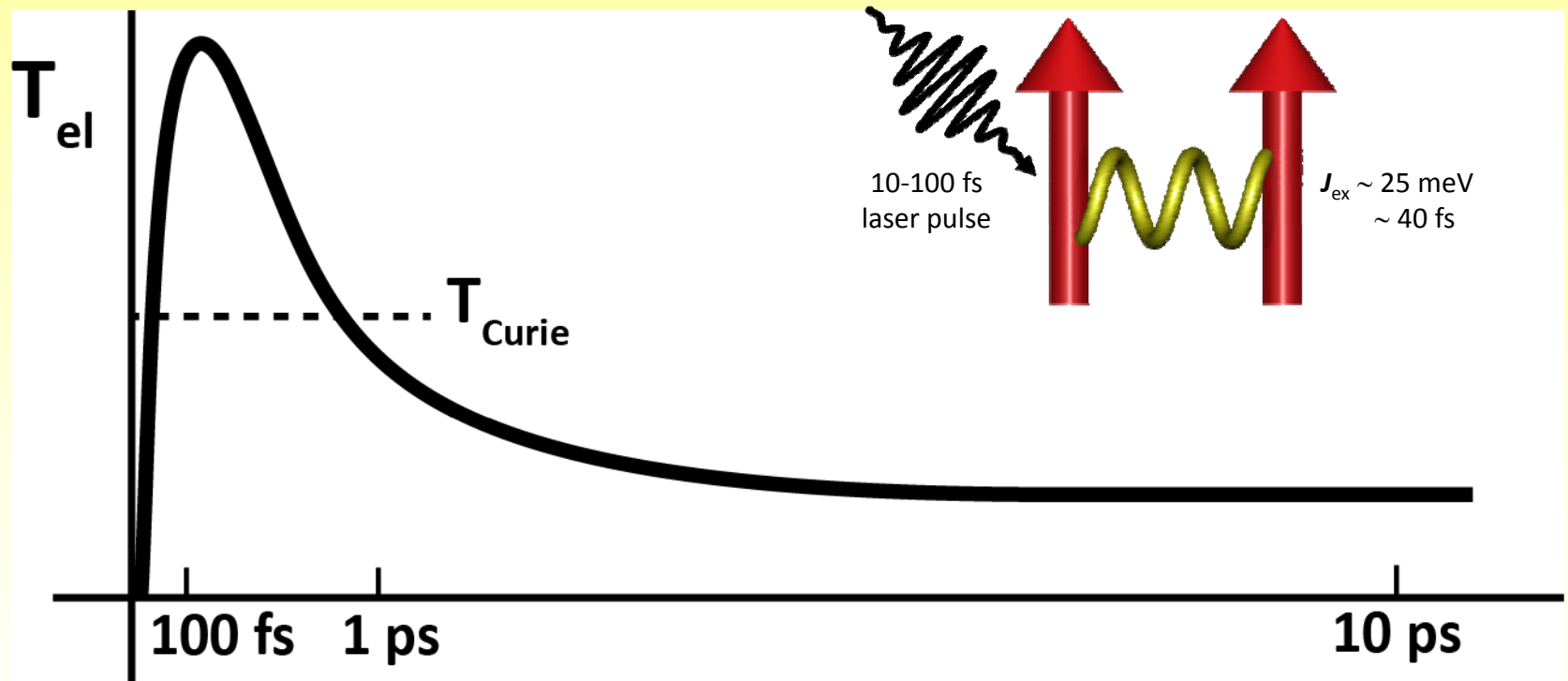


$$\frac{dM_{\text{Fe}}}{dt} = -\frac{dM_{\text{Gd}}}{dt}$$

Transfer of magnetization between sublattices!

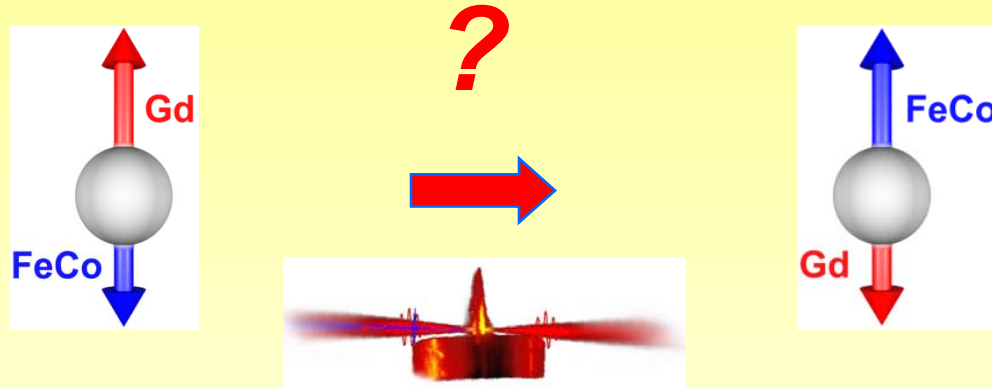
Laser-induced spin dynamics

Ultrafast heating of electrons



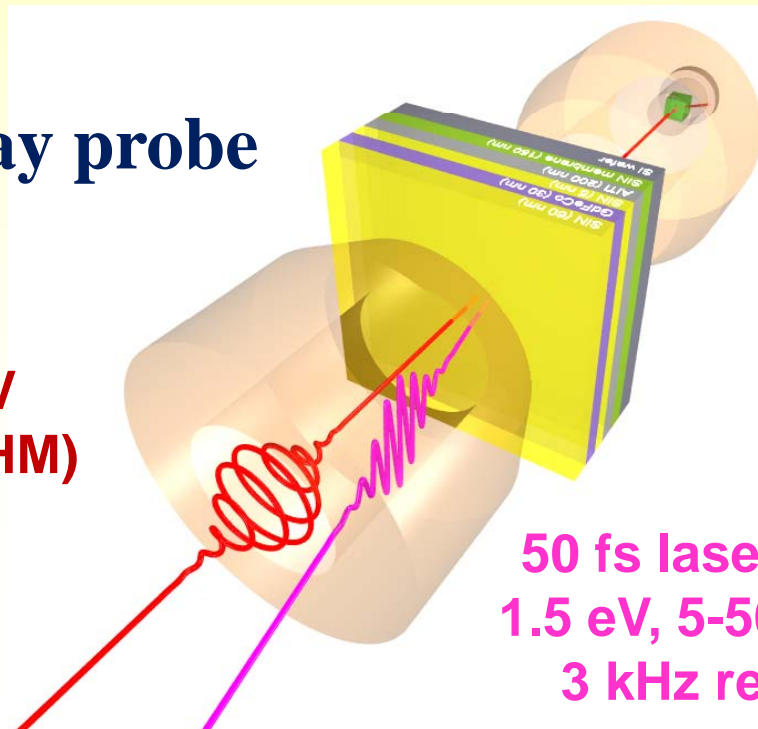
Access to both temperature and exchange dominated regime!

Element specific view



Laser pump – X-ray probe

X-rays
400-1400 eV
10-50 ps (FWHM)

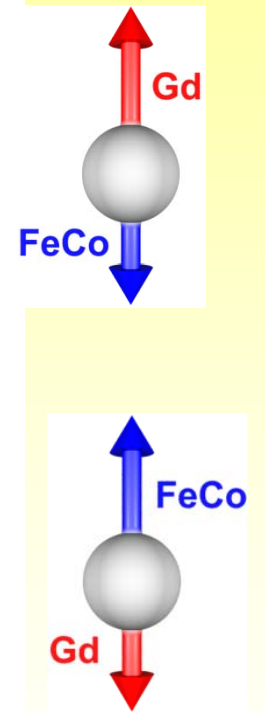
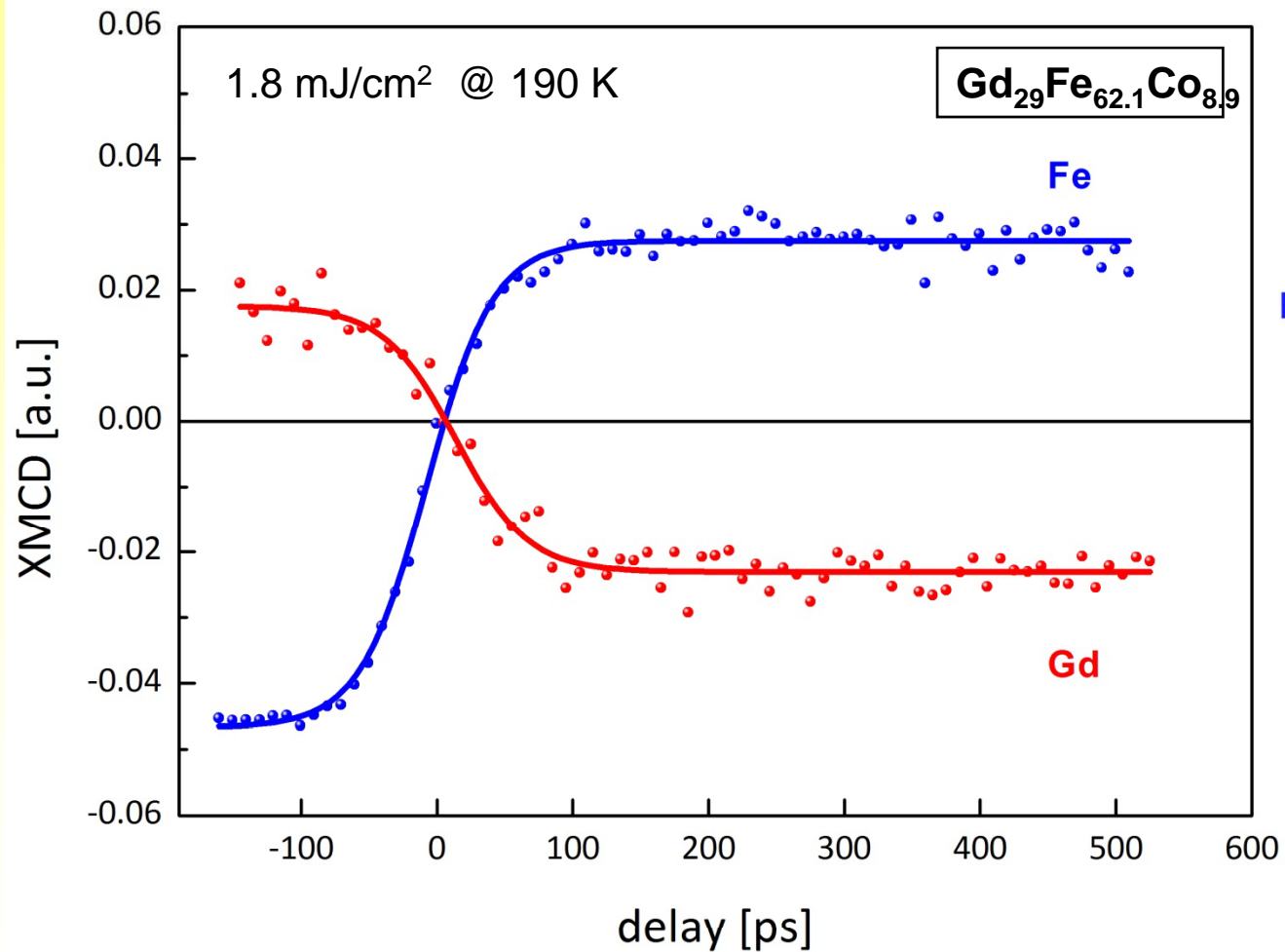


BESSY

50 fs laser pulses
1.5 eV, 5-50 mJ/cm²
3 kHz rep. rate

TR-XMCD @ BESSY

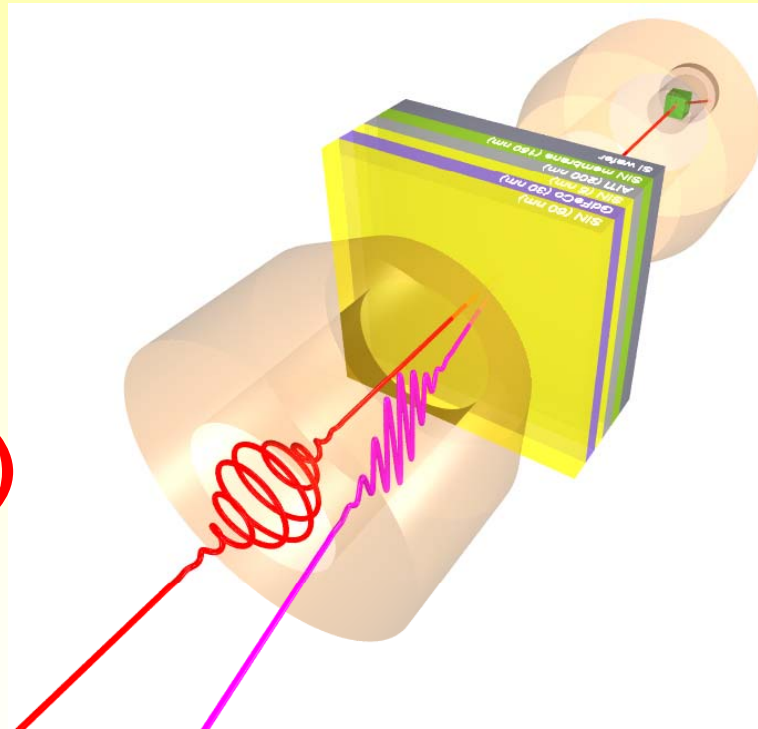
» Fe and Gd sub-lattices switch simultaneously within 50 ps



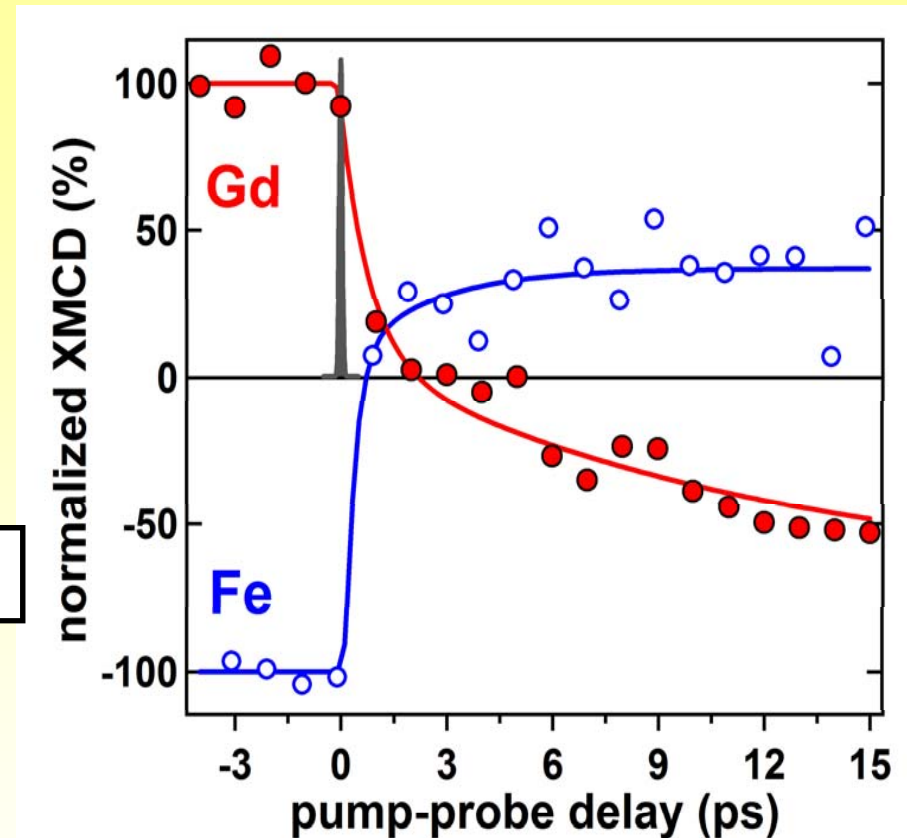
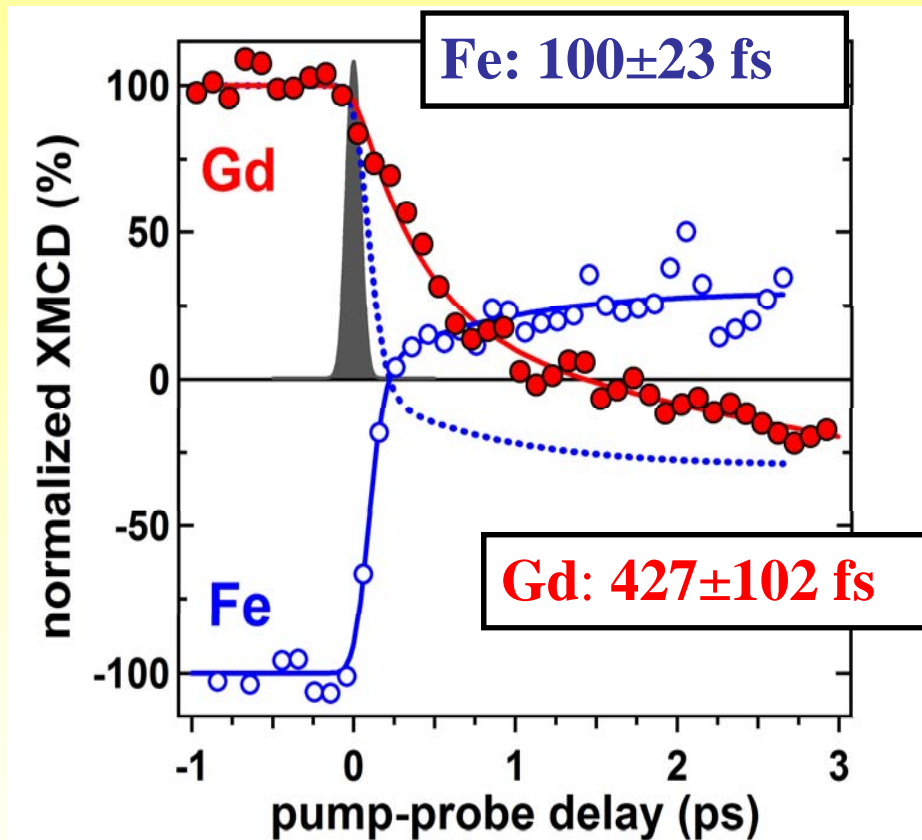
Can't we look faster?

FEMTO-SLICING!

X-rays
400-1400 eV
100 fs (FWHM)



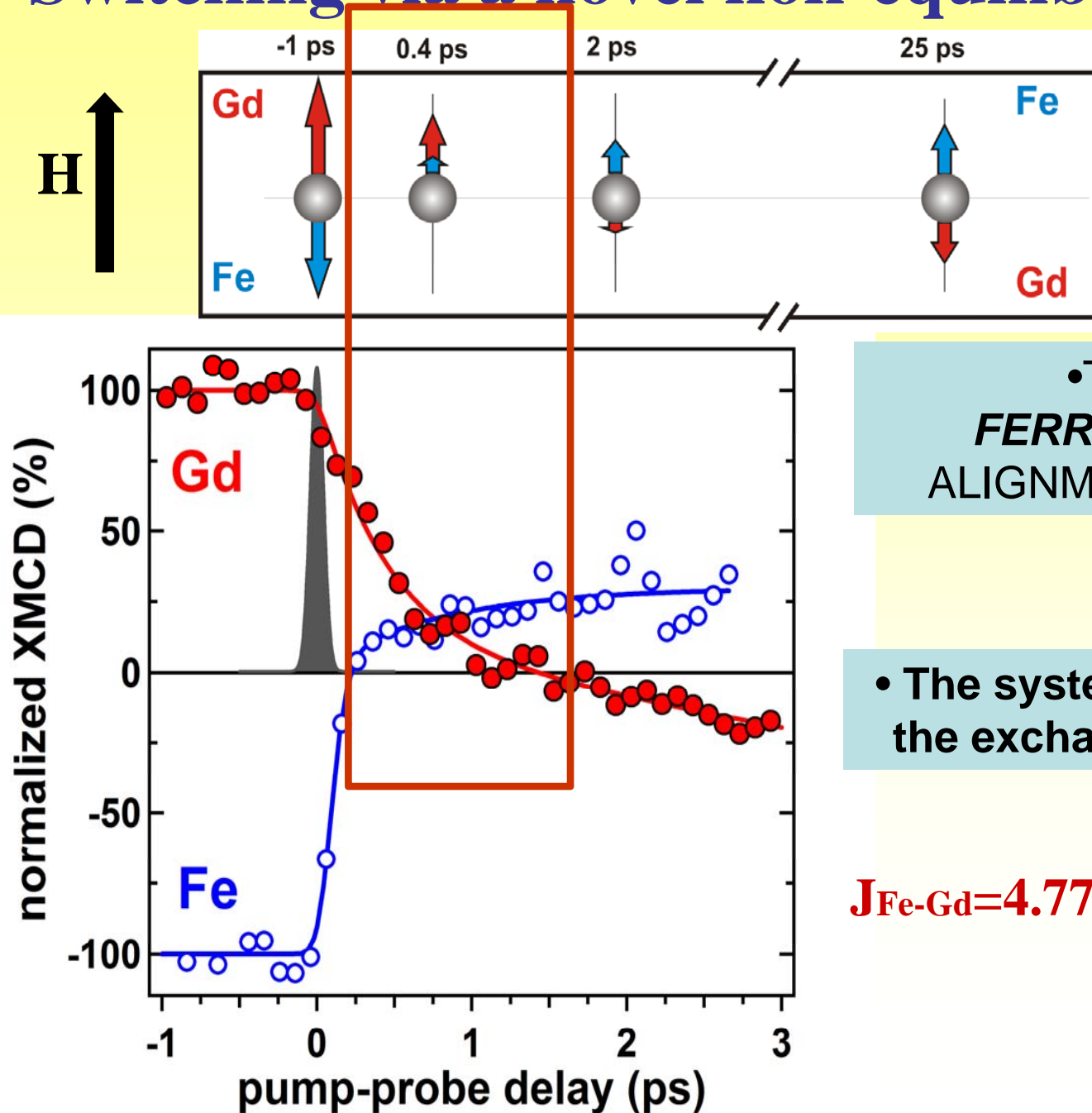
Element-specific magnetization reversal: 100 fs time resolution



- **Different** magnetization switching dynamics at Fe and Gd sites !!!

Mentink: $\tau_i = \frac{\mu_i}{2\alpha\gamma k_B T}$

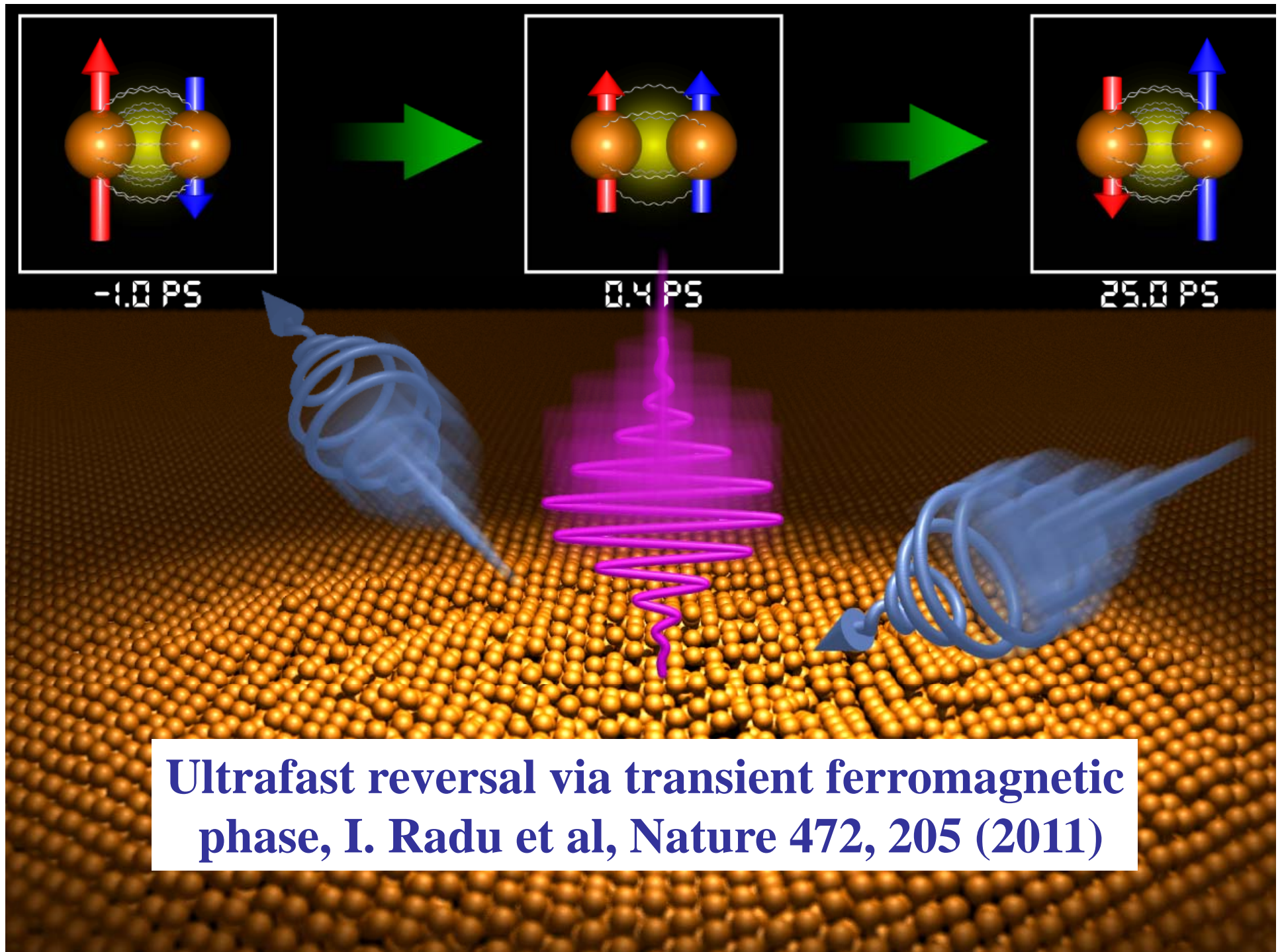
Switching via a novel non-equilibrium state



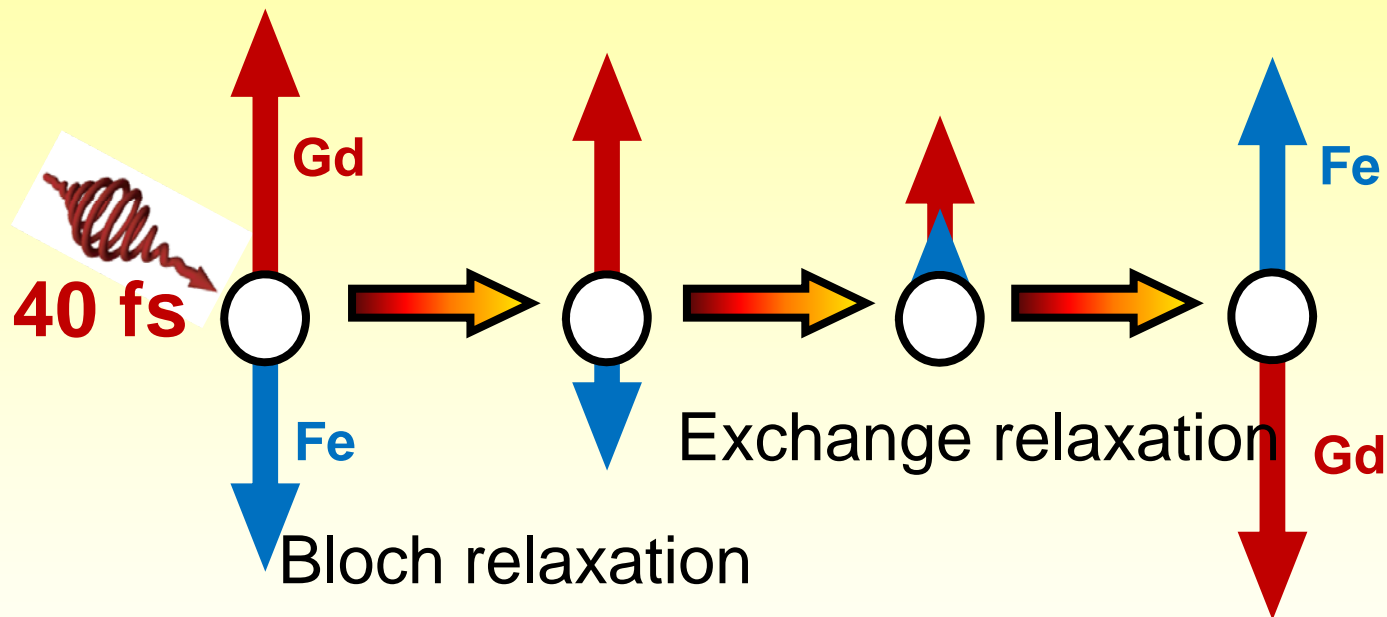
• Transient ***FERROMAGNETIC ALIGNMENT*** for ~1.2 ps

• The system evolves against the exchange interaction !!!

$$J_{\text{Fe-Gd}} = 4.77 \times 10^{-20} \text{ J} \sim 140 \text{ fs}$$



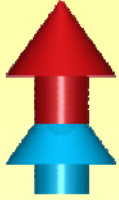
Ultrafast magnetism in **multi-sublattice** magnets



What about multi-sublattice ferromagnets?

Prediction: **ultrafast** demagnetization

FM coupling

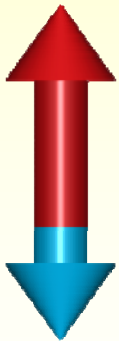


$$dS_1/dt = -\lambda_1 S_1/\chi_1 - \lambda_e (S_1/\chi_1 - S_2/\chi_2)$$

positive/negative

- Coupling makes one sublattice **faster**, other **slower**

AFM coupling



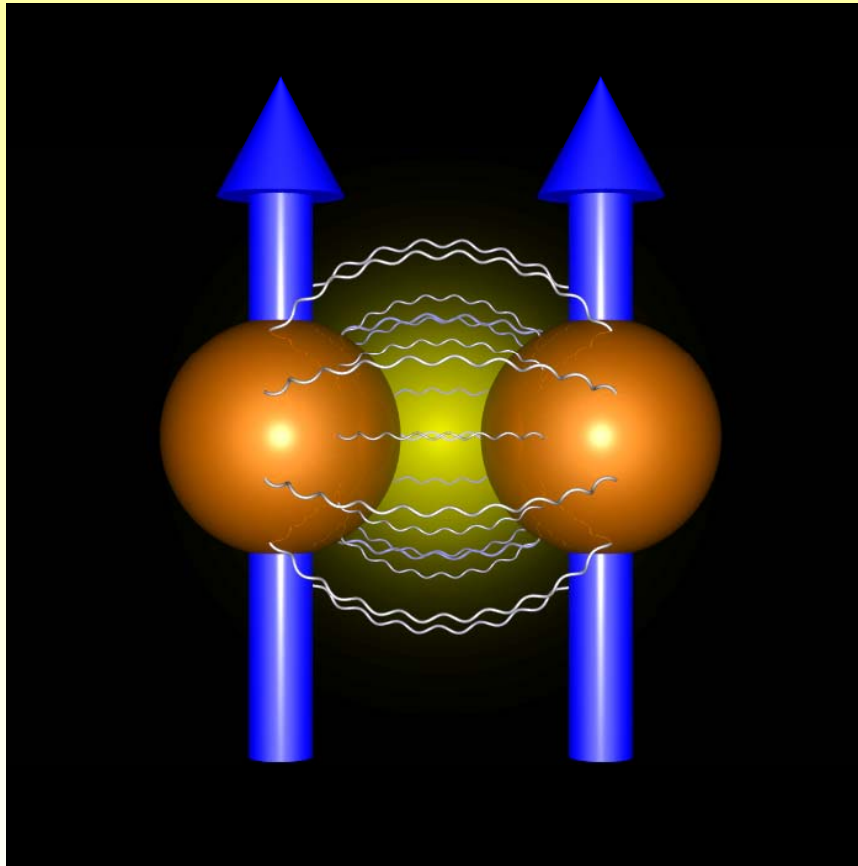
$$dS_1/dt = -\lambda_1 S_1/\chi_1 - \lambda_e (S_1/\chi_1 + |S_2|/\chi_2)$$

always positive

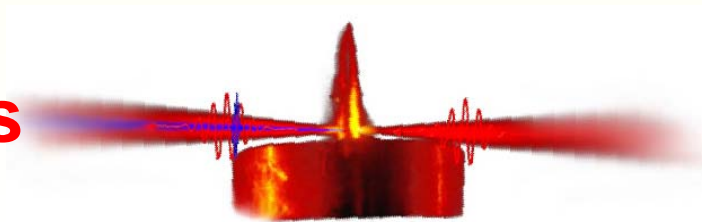
- Both sublattices **faster** than in uncoupled case!

FeNi

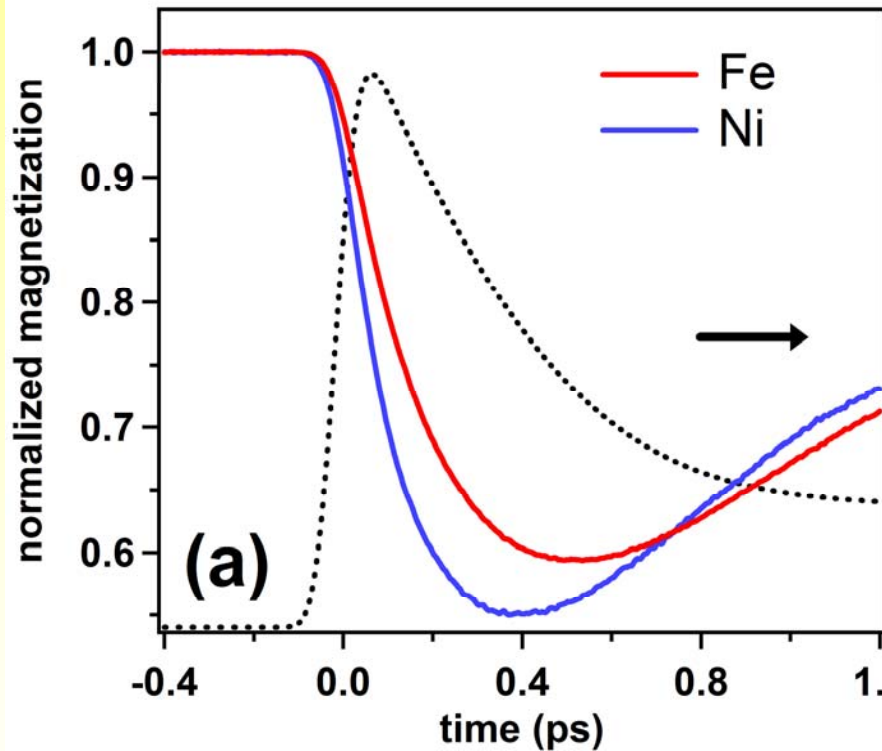
$$J_{\text{Fe-Ni}} = 1.4 \times 10^{-19} \text{ J} \sim 40 \text{ fs}$$



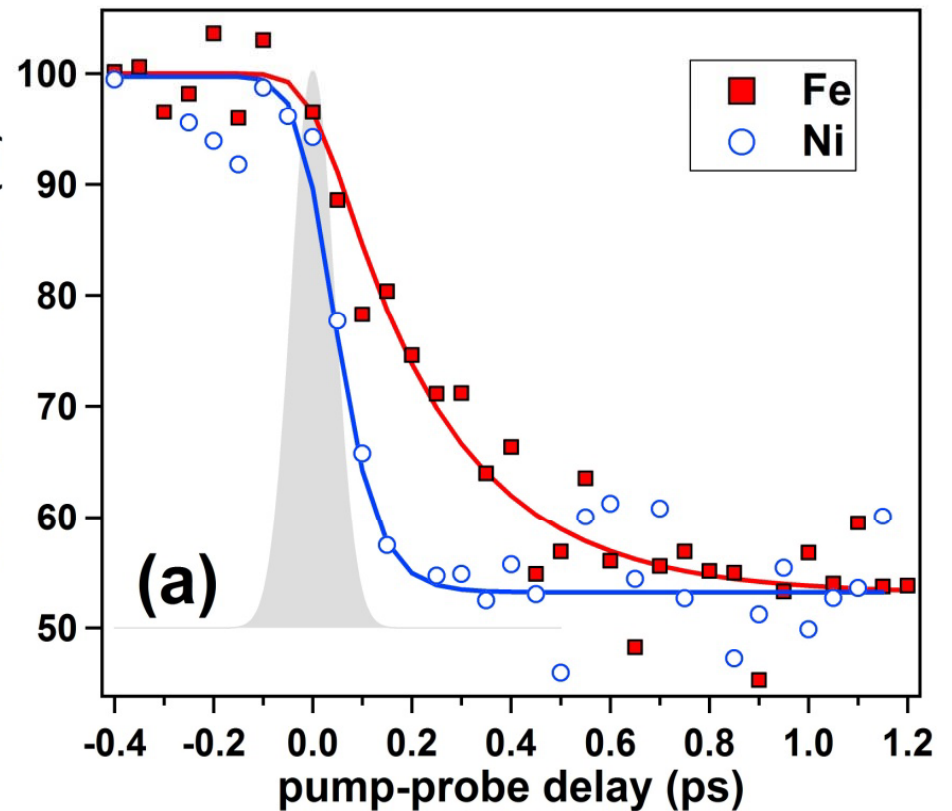
1-2eV, 10-100fs



simulations



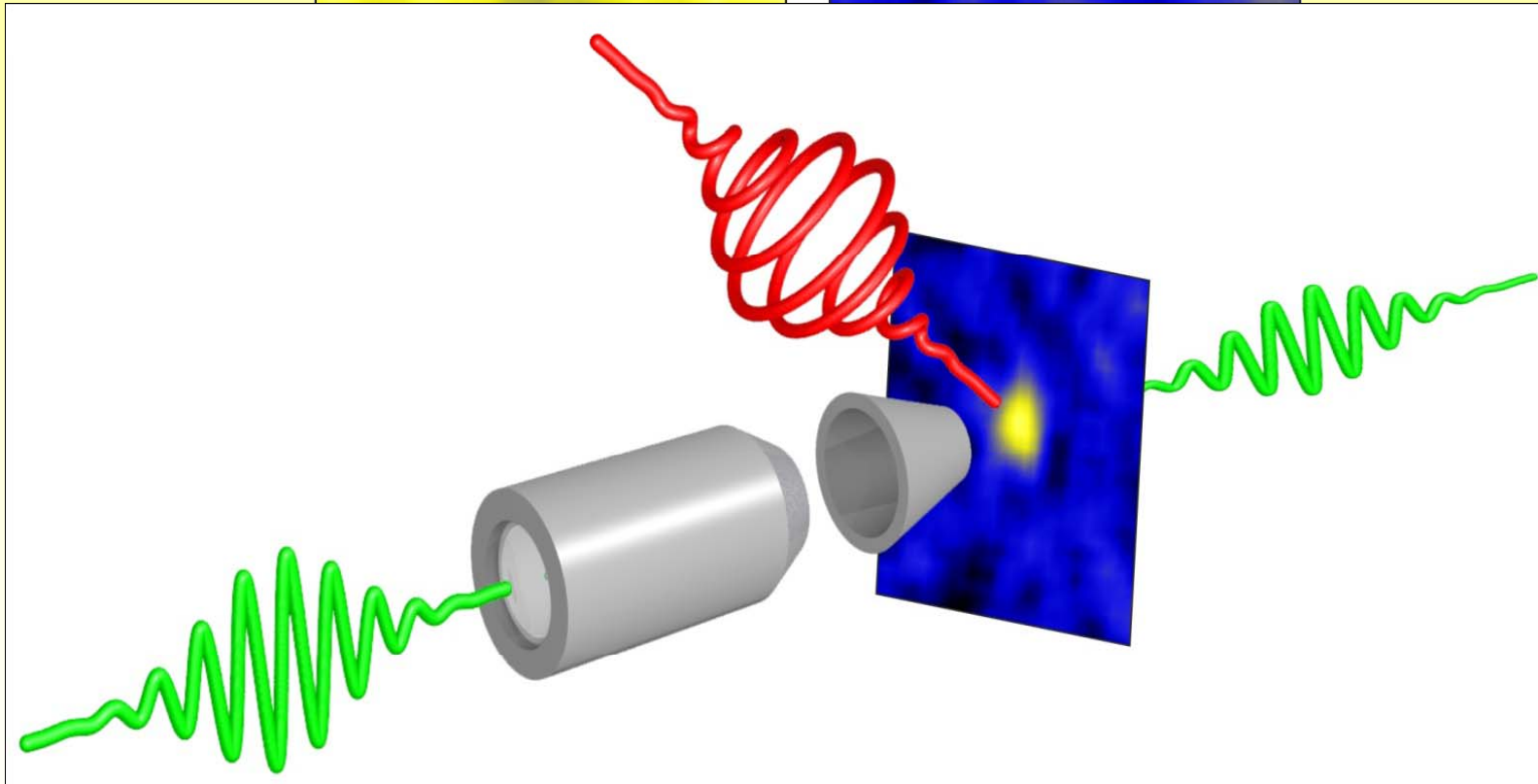
experiment



Fe slower than Ni

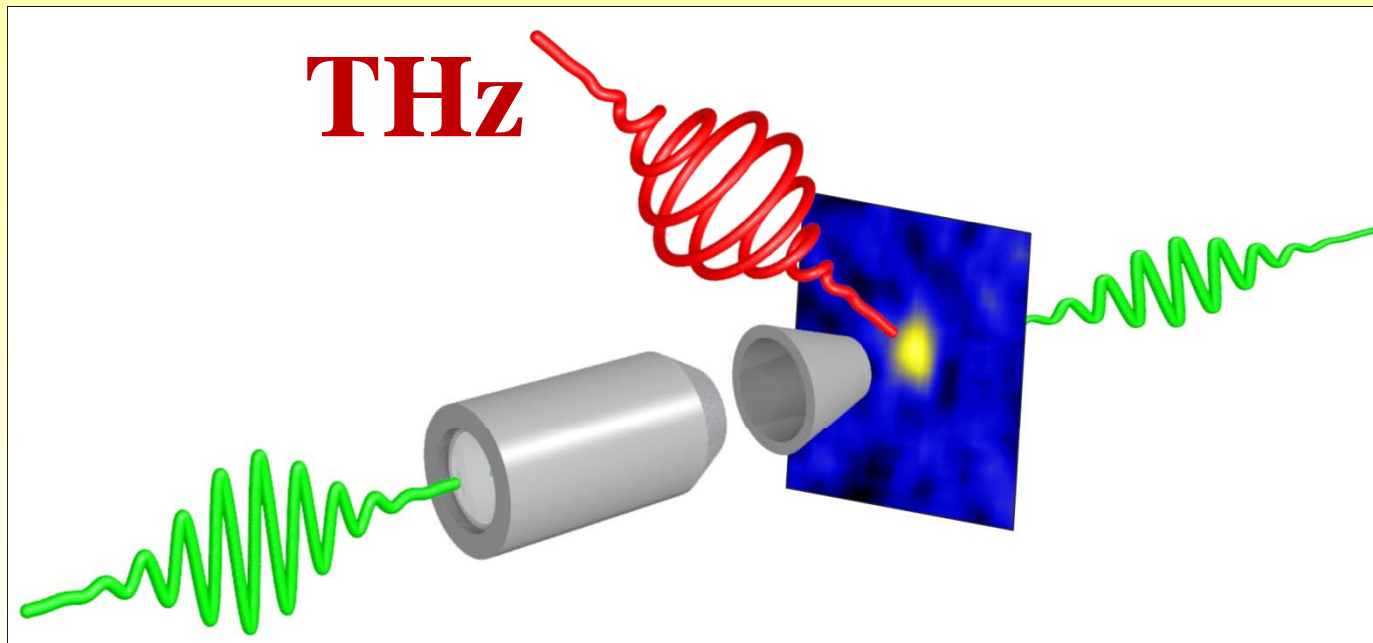
I. Radu et al, submitted(2012)

Perspectives



Skyrmions?

Perspectives



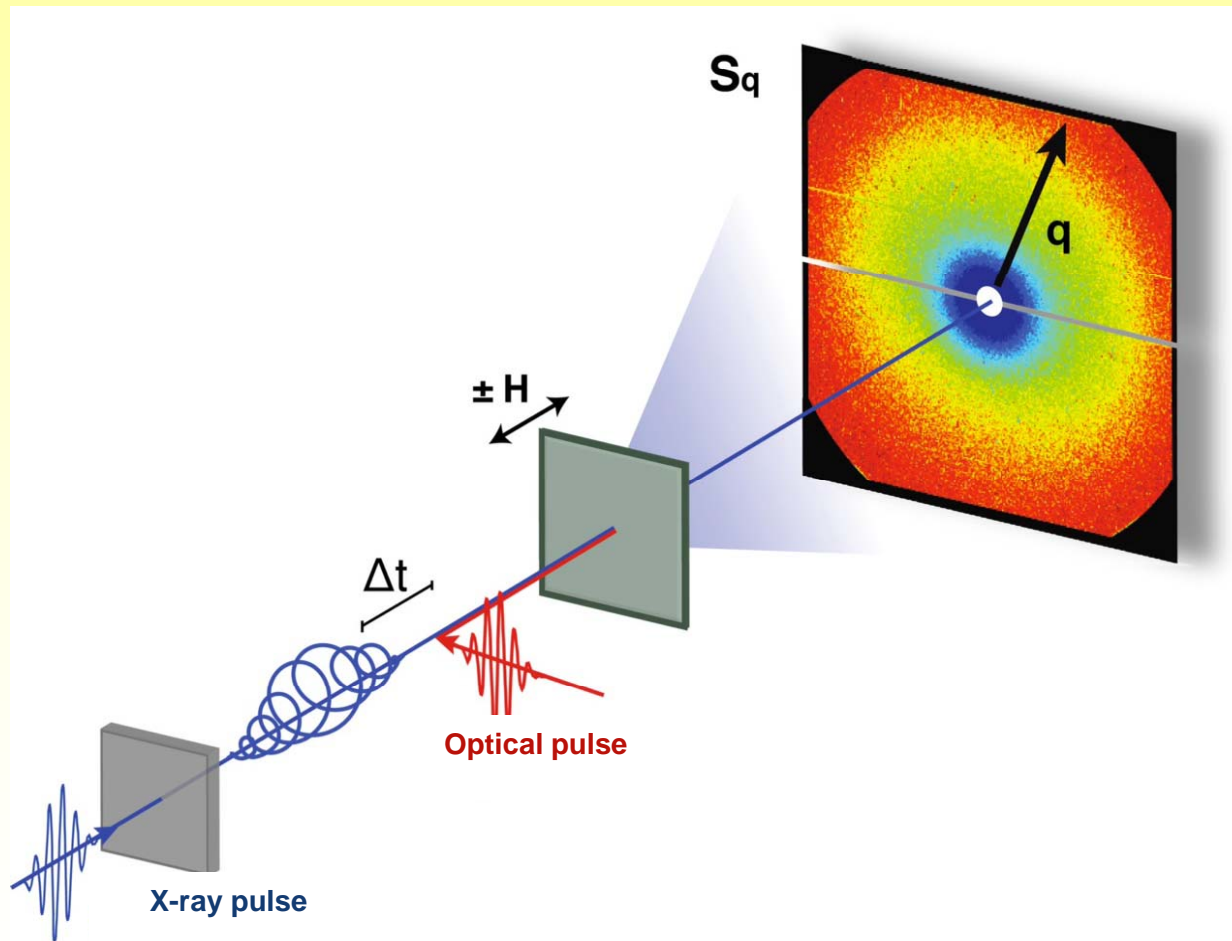
Perspectives

$J = J(t) \rightarrow H(t) \rightarrow$



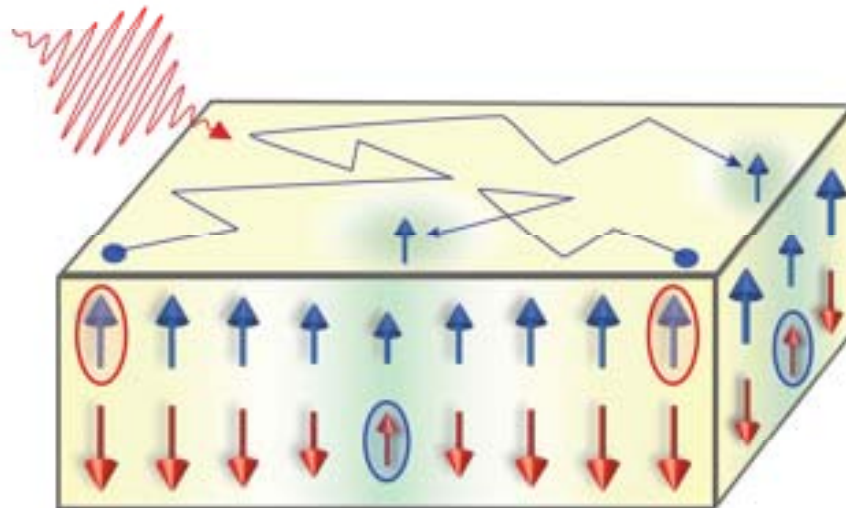
Xrays+XMCD+nm+fs!

First LCLS data



Supersonic transport of angular momentum!

(~nm/fs)



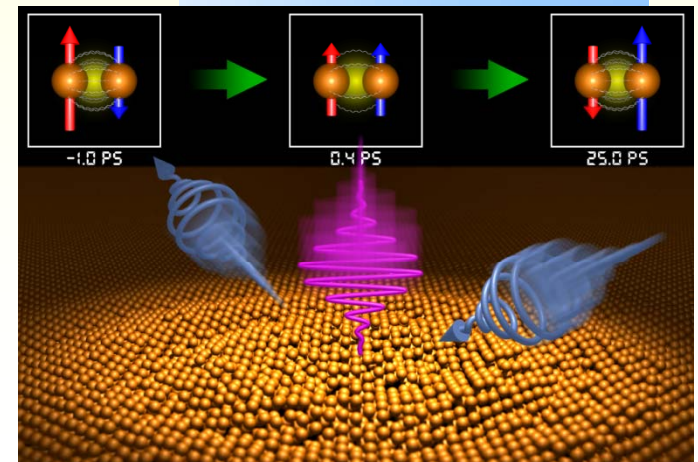
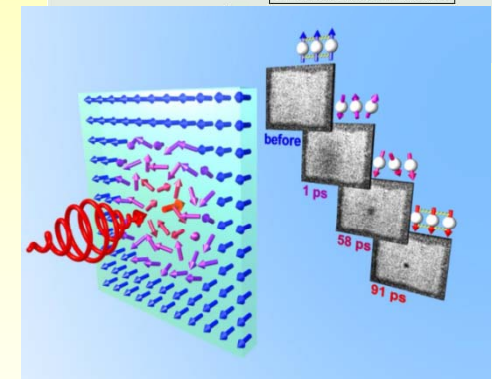
To conclude:

With light

- Coherent optical control of magnetism !
- All-optical ultrafast magnetic recording
- Novel (linear) ultrafast reversal path!
- Novel transient ferromagnetic state

Future challenges

- Femto magnetism!
- Combine chemical, magnetic
spatial and time resolution: **X(Z)FEL!**



with many thanks to:

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T.Kachel

N.Pontius

Herman Durr (Stanford)



STW, NWO, EU, NanoNed, UltraMagnetron, FANTOMAS

Spectroscopy of Solids and Interfaces

Several PhD / postdoc positions available!



2011